



Simple Processing - Transpose

- The transpose image **B** ($M \times N$) of **A** ($N \times M$) can be obtained as

$$B(j, i) = A(i, j)$$

$$(i = 0, \dots, N - 1, j = 0, \dots, M - 1).$$



A



B

```
>> for i = 1 : 512
    for j = 1 : 512
        B(j, i) = A(i, j);
    end
end
```

OR

```
>> B = A';
```



Simple Processing - Flip Vertical

- The vertical flipped image **B** ($N \times M$) of **A** ($N \times M$) can be obtained as $B(i, M - 1 - j) = A(i, j)$ ($i = 0, \dots, N - 1, j = 0, \dots, M - 1$).



A



B

```
>> clear B;  
>> for i = 1 : 512  
    for j = 1 : 512  
        B(i, 512 + 1 - j) = A(i, j);  
    end  
end
```



Simple Processing - Cropping

- The cropped image \mathbf{B} ($N_1 \times N_2$) of \mathbf{A} ($N \times M$), starting from (n_1, n_2) , can be obtained as $B(k, l) = A(n_1 + k, n_2 + l)$ ($k = 0, \dots, N_1 - 1$, $l = 0, \dots, N_2 - 1$).



A



B

```
>> clear B;  
>> for k = 0 : 64 - 1  
    for l = 0 : 128 - 1  
        B(k + 1, l + 1) = A(255 + k + 1, 255 + l + 1); % n1=n2=255 N1=64,N2=128  
    end  
end
```



Simple Image Statistics - Sample Mean and Sample Variance

- The **sample mean** (m_A) of an image \mathbf{A} ($N \times M$):

$$m_A = \frac{\sum_{i=0}^{N-1} \sum_{j=0}^{M-1} A(i, j)}{NM} \quad (1)$$

- The **sample variance** (σ_A^2) of \mathbf{A} :

$$\sigma_A^2 = \frac{\sum_{i=0}^{N-1} \sum_{j=0}^{M-1} (A(i, j) - m_A)^2}{NM} \quad (2)$$

- The **sample standard deviation**, $\sigma_A = \sqrt{\sigma_A^2}$.