## Exp. No. 1: Half and Full Adder

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## Binary addition

- $0+0$ is a sum of 0 with a carry of 0
- $1+0$ is a sum of 1 with a carry of 0
- $0+1$ is a sum of 1 with a carry of 0
- $1+1$ is a sum of 0 with a carry of 1



## Half adder Circuit

Is a combinational circuit that adds two bits


Sum $=$ A XOR B
Carry $=$ A AND B

| A | B | Sum | Carry |
| :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 1 | 0 |
| 1 | 1 | 0 | 1 |



Pin diagram of 7486 XOR


Pin diagram of 7408
Quad 2-input AND gates

## Full adder circuit

- Is a combinational circuit that adds three bits (A, B, Carry-in (Ci) )


## The full adder takes 3 inputs:

- A, B, and a carry-in value
Truth Table


| A | B | Carry- <br> in | Sum | Carry- <br> out |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 1 |
| $\mathbf{1}$ | 1 | 0 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |

- inputs are $\mathrm{A}, \mathrm{B}$, and Cl .
- outputs are $S$ and $C O$


$\begin{array}{ll}A_{1}-A_{4} & \text { Operand } A \text { Inputs } \\ B_{1}-B_{4} & \text { Operand } B \text { Inputs }\end{array}$
$\mathrm{C}_{0}$
Carry Input
$\Sigma_{1}-\Sigma_{4} \quad$ Sum Outputs
Carry Output
- Example: Add two 8-bit binary numbers
- Solution: we need an 8-bit adder


Notice how the carry out from one bit's adder becomes the carry-in to the next adder


