

Exp. No. 9 Constructing BCD Adder

4-bit BCD adder using IC- 7483

- A BCD adder adds two BCD digits and produces output as a BCD digit. A BCD or Binary Coded Decimal digit cannot be greater than 9.
- The two BCD digits are to be added using the rules of binary addition. If sum is less than or equal to 9 and carry is 0, then no correction is needed. The sum is correct and in true BCD form.
- But if sum is greater than 9 or carry =1, the result is wrong and correction must be done. The wrong result can be corrected adding six (0110) to it.

For implementing a BCD adder using a binary adder circuit IC 7483, additional combinational circuit will be required, where the Sum Output S_3-S_0 is checked for invalid values from 10 to 15. Then the truth table and The Boolean expression (bold columns) is, $Y=S_3S_2+S_3S_1$

Invalid BCD numbers, hence $Y=1$

I/P				O/P
S3	S2	S1	S0	Y
0	0	0	0	0
0	0	0	1	0
0	0	1	0	0
0	0	1	1	0
0	1	0	0	0
0	1	0	1	0
0	1	1	0	0
0	1	1	1	0
1	0	0	0	0
1	0	0	1	0
1	0	1	0	1
1	0	1	1	1
1	1	0	0	1
1	1	0	1	1
1	1	1	0	1
1	1	1	1	1

Table1. Truth table for BCD numbers

- ❑ The BCD adder is shown below. The output of the combinational circuit should be 1 if Cout of adder-1 is high. Therefore Y is ORed with Cout of adder 1.
- ❑ The output of combinational circuit is connected to B_1B_2 inputs of adder-2 and $B_3=B_1+0$ as they are connected to ground permanently. This makes $B_3B_2B_1B_0 = 0110$ if $Y' = 1$.
- ❑ The sum outputs of adder-1 are applied to $A_3A_2A_1A_0$ of adder-2. The output of combinational circuit is to be used as final output carry and the carry output of adder-2 is to be ignored.

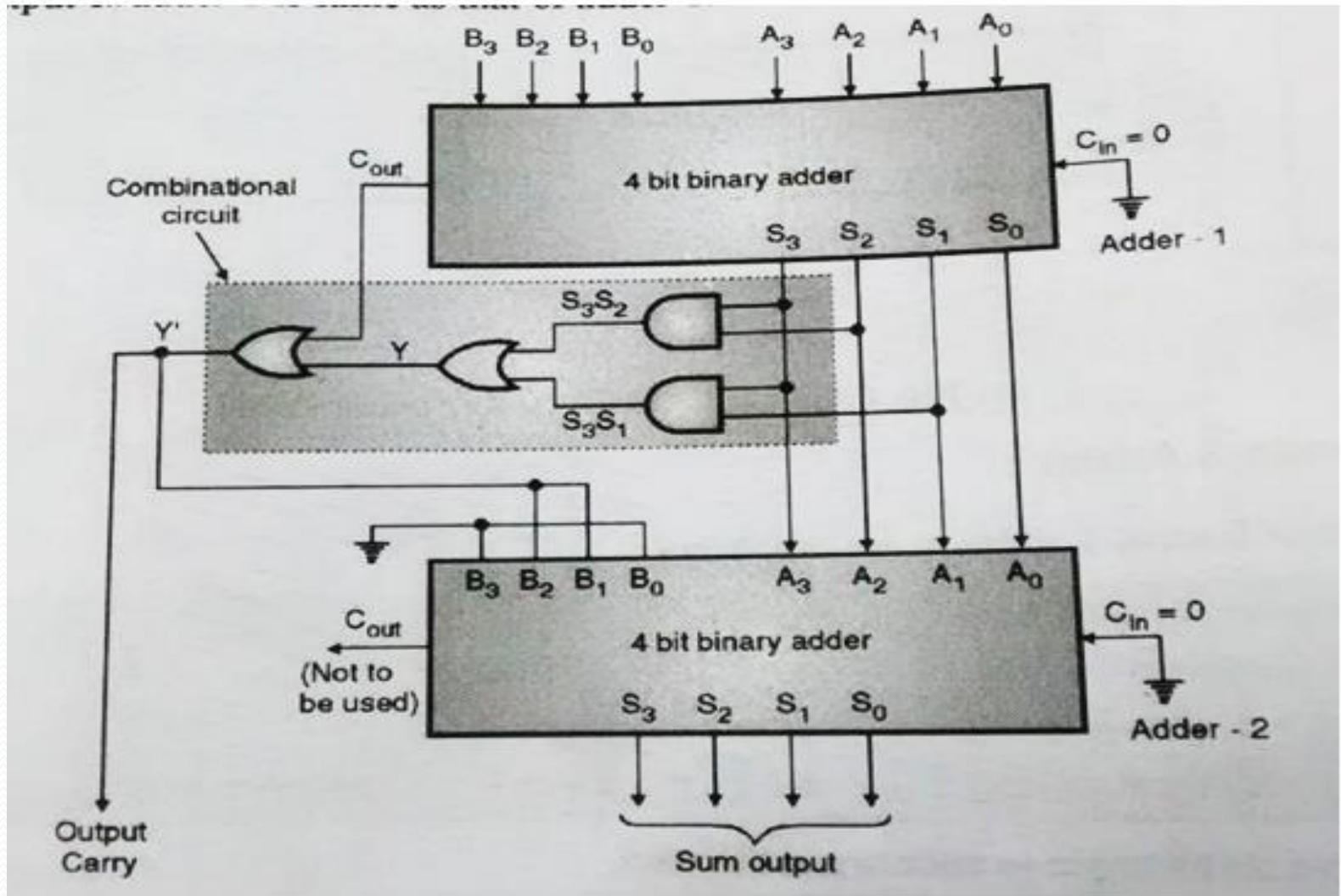


Fig. BCD addition using IC 7483

Case1: Sum ≤ 9 and carry = 0

- The output of combinational circuit $Y' = 0$. Hence $B_3 B_2 B_1 B_0 = 0 0 0 0$ for adder-2.
- Hence output of adder-1 is same as that of adder-2

Case2: Sum >9 and carry = 0

- If $S_3 S_2 S_1 S_0$ of adder -1 is greater than 9, then output Y' of combinational circuits becomes 1. Therefore $B_3 B_2 B_1 B_0 = 0 1 1 0$ (of adder-2).
- Hence six (0 1 1 0) will be **added to the sum output** of adder-1. We get the corrected BCD result at the output of adder-2.

- **Case3: Sum ≤ 9 but carry = 1**
- As carry output of adder-1 is high, $Y' = 1$. Therefore $B_3 B_2 B_1 B_0 = 0 1 1 0$ (of adder-2).
- Hence six (0 1 1 0) will be **added to the sum output** of adder-1. We get the corrected BCD result at the output of adder-2. Thus the Four bit BCD addition can be carried out using the binary adder.

• **Example:** Operations of : $(0111)_{BCD} + (1001)_{BCD}$

• Thus,

• $C_{out} = 1$

• $S_3 S_2 S_1 S_0 = 0000$

Here sum < 9 but carry = 1

$$\begin{array}{r}
 1\ 1\ 1\ 1 \\
 \hline
 0\ 1\ 1\ 1 \\
 +\ 1\ 0\ 0\ 1 \\
 \hline
 1\ 0\ 0\ 0\ 0 \\
 \hline
 \end{array}$$

1st number

2nd number

- Hence, for adder, inputs will be $A_3A_2A_1A_0 = 0000$ and $B_3B_2B_1B_0 = 0110$

give final output as $Cout S_3S_2S_1S_0 = 10110$.

Therefore, $(0111)_{BCD} + (1001)_{BCD} = (00010110)_{BCD}$.

Q. Why do we need to add 6 sometimes to BCD addition?

Four binary digits count up to 15 (1111) but in **BCD** we only use the representations up to 9 (1001). **The difference between 15 and 9 is 6.**

- ❑ **To perform BCD subtraction:** BCD number B and nines compliment of A is added by using conventional BCD adder.
- ❑ If carry output is 0 then nines compliment of BCD adder output is taken out
- ❑ if carry out put is 1 then 0001 is added to the BCD adder output to get the corrected valid magnitude subtraction output.
- ❑ In each case carry out of the BCD adder is complimented and taken as Barrow output.
- ❑ **The nines' complement of a decimal digit is the number that must be added to it to produce 9; the complement of 3 is 6, the complement of 7 is 2.**