

Q.1: (25 MARKS: 9 + 16)

A- Draw suitable sketches for the following:

- 1- The runway markings.
- 2- Taxiway lighting
- 3- The conventional railway track.

B- Determine the total hourly delay using a single **11,000** ft runway with hourly demand = **40** operations per hour, peak 15-minute demand = **14** operations, hourly capacity = **40** operations per hour, arrivals and departures are equal and the mix index = **60**.

Q.2: (25 MARKS)

The length of a common approach path $\gamma = 6$ nautical mi and the minimum separation = **3** nautical miles for an airport having the following aircraft landing population on a single runway:

Percentage of aircraft	30	30	40
Approach speed knots)	95	100	110

Calculate the ultimate runway capacity assuming that the runway occupancy times are smaller than the time separations during approach and have no effect on the capacity and allowing a buffer zone with standard deviation = **15** sec. Use **20%** probability of violation.

Q.3 : (25 MARKS)

For a design traffic of **25,000** departures, determine the thickness requirements for a flexible pavement with subgrade CBR = **10** and subbase CBR = **20**. The design aircraft has dual-tandem landing gear and a maximum weight of **300,000** lb.

Q.4: (25 MARKS: 10+15)

A- Design a **2.00** m long wood tie (sleeper) for axle load of **16,000** kg for Meter gauge railway track. The allowable stress of the tie material = **8,300,000** Pa.

B- Find the maximum pressure between a wheel with cylindrical rim of radius = **30** cm and rail with the radius of head = **30** cm. The design wheel load = **2000** kg, poissons ratio = **0.25**, and the modulus of elasticity = **206.8 * 10⁹** Pa.

Useful Formulas and Tables

$m(v_2, v_1) = \frac{\delta}{v_2} \text{ for } v_2 \geq v_1$ $m(v_2, v_1) = \frac{\delta}{v_2} + \gamma \left(\frac{1}{v_2} - \frac{1}{v_1} \right) \text{ for } v_2 < v_1$	$b(v_2, v_1) = \sigma_0 q(p_v)$ $b(v_2, v_1) = \sigma_0 q(p_v) - \delta \left(\frac{1}{v_2} - \frac{1}{v_1} \right)$																																																									
$C_w = \frac{\sum_{i=1}^n C_i W_i P_i}{\sum_{i=1}^n W_i P_i}$	$C = \min_{all i} \left[\frac{G_i}{T_i M_i} \right]$																																																									
$ADF = ADI \times [D/C]$ $DDF = DDI \times [D/C]$ $DTH = HD \{ [PA \times DAHA] + [(1 - PA) \times DAHD] \}$	$\sigma_z = p(A + B)$ $\sigma_r = p[2\mu A + C + (1 - 2\mu)F]$ $\Delta_z = \frac{p(1 + \mu)a}{E} \left[\frac{z}{a} A + (1 - \mu)H \right]$																																																									
<table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <thead> <tr> <th rowspan="2">Percentage of Predominant Capacity</th> <th colspan="4">Weight</th> </tr> <tr> <th>Mix Index in VFR</th> <th colspan="3">Mix Index in IFR</th> </tr> <tr> <th></th> <th>0-180</th> <th>0-20</th> <th>21-50</th> <th>51-180</th> </tr> </thead> <tbody> <tr> <td>91 or more</td> <td>1</td> <td>1</td> <td>1</td> <td>1</td> </tr> <tr> <td>80-90</td> <td>5</td> <td>1</td> <td>3</td> <td>5</td> </tr> <tr> <td>66-80</td> <td>15</td> <td>2</td> <td>8</td> <td>15</td> </tr> <tr> <td>51-65</td> <td>20</td> <td>3</td> <td>12</td> <td>20</td> </tr> <tr> <td>0-50</td> <td>25</td> <td>4</td> <td>16</td> <td>25</td> </tr> </tbody> </table>	Percentage of Predominant Capacity	Weight				Mix Index in VFR	Mix Index in IFR				0-180	0-20	21-50	51-180	91 or more	1	1	1	1	80-90	5	1	3	5	66-80	15	2	8	15	51-65	20	3	12	20	0-50	25	4	16	25	$Z_w = Z - \frac{\Delta h}{30} [w + 0.53(h - \Delta h)] \text{ imperical formula}$																		
Percentage of Predominant Capacity		Weight																																																								
	Mix Index in VFR	Mix Index in IFR																																																								
	0-180	0-20	21-50	51-180																																																						
91 or more	1	1	1	1																																																						
80-90	5	1	3	5																																																						
66-80	15	2	8	15																																																						
51-65	20	3	12	20																																																						
0-50	25	4	16	25																																																						
$m = \frac{4}{\frac{1}{r_1} + \frac{1}{r_2}}$ $n = \frac{4E}{3(1-\mu)}$ $A = \frac{2}{m}$ $B = \frac{1}{2} \left \left(\frac{1}{r_1} - \frac{1}{r_2} \right) \right $ $\cos \theta = \frac{B}{A}$ $a = \alpha \sqrt[3]{\frac{P_m}{n}}$ $b = \beta \sqrt[3]{\frac{P_m}{n}}$	$\tau_{max} = \frac{23500 * P^{1/3}}{2 * \left(\frac{R_1}{R_2} \right)^{0.271} * R_2^{2/3}}$																																																									
<table border="1" style="width: 100%; border-collapse: collapse; text-align: center;"> <thead> <tr> <th>θ</th> <th>20</th> <th>30</th> <th>35</th> <th>40</th> <th>45</th> <th>50</th> <th>55</th> <th>60</th> <th>65</th> <th>70</th> <th>75</th> <th>80</th> <th>85</th> <th>90</th> </tr> </thead> <tbody> <tr> <td>α</td> <td>3.772</td> <td>2.731</td> <td>2.397</td> <td>2.136</td> <td>1.926</td> <td>1.754</td> <td>1.611</td> <td>1.486</td> <td>1.398</td> <td>1.284</td> <td>1.202</td> <td>1.128</td> <td>1.061</td> <td>1</td> </tr> <tr> <td>β</td> <td>0.408</td> <td>0.493</td> <td>0.53</td> <td>0.567</td> <td>0.504</td> <td>0.641</td> <td>0.688</td> <td>0.717</td> <td>0.759</td> <td>0.802</td> <td>0.846</td> <td>0.893</td> <td>0.944</td> <td>1</td> </tr> </tbody> </table>														θ	20	30	35	40	45	50	55	60	65	70	75	80	85	90	α	3.772	2.731	2.397	2.136	1.926	1.754	1.611	1.486	1.398	1.284	1.202	1.128	1.061	1	β	0.408	0.493	0.53	0.567	0.504	0.641	0.688	0.717	0.759	0.802	0.846	0.893	0.944	1
θ	20	30	35	40	45	50	55	60	65	70	75	80	85	90																																												
α	3.772	2.731	2.397	2.136	1.926	1.754	1.611	1.486	1.398	1.284	1.202	1.128	1.061	1																																												
β	0.408	0.493	0.53	0.567	0.504	0.641	0.688	0.717	0.759	0.802	0.846	0.893	0.944	1																																												