

**Q.1: (25 MARKS: 9 + 16)**

**A-** Draw suitable sketches for the following:

- 1- The runway markings.
- 2- Taxiway lighting
- 3- The conventional railway track.

**B-** Determine the total hourly delay using a single **11,000** ft runway with hourly demand = **40** operations per hour, peak 15-minute demand = **14** operations, hourly capacity = **40** operations per hour, arrivals and departures are equal and the mix index = **60**.

**Q.2: (25 MARKS)**

The length of a common approach path  $\gamma = 6$  nautical mi and the minimum separation = **3** nautical miles for an airport having the following aircraft landing population on a single runway:

Percentage of aircraft	<b>30</b>	<b>30</b>	<b>40</b>
Approach speed knots)	<b>95</b>	<b>100</b>	<b>110</b>

Calculate the ultimate runway capacity assuming that the runway occupancy times are smaller than the time separations during approach and have no effect on the capacity and allowing a buffer zone with standard deviation = **15** sec. Use **20%** probability of violation.

**Q.3 : (25 MARKS)**

For a design traffic of **25,000** departures, determine the thickness requirements for a flexible pavement with subgrade CBR = **10** and subbase CBR = **20**. The design aircraft has dual-tandem landing gear and a maximum weight of **300,000** lb.

**Q.4: (25 MARKS: 10+15)**

**A-** Design a **2.00** m long wood tie (sleeper) for axle load of **16,000** kg for Meter gauge railway track. The allowable stress of the tie material = **8,300,000** Pa.

**B-** Find the maximum pressure between a wheel with cylindrical rim of radius = **30** cm and rail with the radius of head = **30** cm. The design wheel load = **2000** kg, poissons ratio = **0.25**, and the modulus of elasticity = **206.8 \* 10<sup>9</sup>** Pa.

## Useful Formulas and Tables

$m(v_2, v_1) = \frac{\delta}{v_2} \text{ for } v_2 \geq v_1$ $m(v_2, v_1) = \frac{\delta}{v_2} + \gamma \left( \frac{1}{v_2} - \frac{1}{v_1} \right) \text{ for } v_2 < v_1$	$b(v_2, v_1) = \sigma_0 q(p_v)$ $b(v_2, v_1) = \sigma_0 q(p_v) - \delta \left( \frac{1}{v_2} - \frac{1}{v_1} \right)$																																																									
$C_w = \frac{\sum_{i=1}^n C_i W_i P_i}{\sum_{i=1}^n W_i P_i}$	$C = \min_{\text{all } i} \left[ \frac{G_i}{T_i M_i} \right]$																																																									
$ADF = ADI \times [D/C]$ $DDF = DDI \times [D/C]$ $DTH = HD \{ [PA \times DAHA] + [(1 - PA) \times DAHD] \}$	$\sigma_z = p(A + B)$ $\sigma_r = p[2\mu A + C + (1 - 2\mu)F]$ $\Delta_z = \frac{p(1 + \mu)a}{E} \left[ \frac{z}{a} A + (1 - \mu)H \right]$																																																									
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