Date:	Examination No.:		Version:07/01/2024	Start: 07/01/2024		
Module Name - Code	Mathematics II- 1109					
Module Language:	English					
Responsible:	Barzan OMAR					
Lecture (s):	Mr. Barzan OMAR/ MSc					
College:	Civil Department-College of Engineering – Salahaddin University					
Duration:	15 week – Fall Semester					
Course outcomes:	 At the end of the semester, students would be able to Interpret a function from an algebraic, numerical, graphical and verbal perspective and extract information relevant to the phenomenon modeled by the function. Ability to evaluate the integrals of complex functions. Ability to find the integral value of complex function by approximate method. Ability to evaluate the integral of function with infinite domain and fine the values of integrals. 					
Course Content:				<u>v</u>		
	Week No. Description			Description		
	General Introduction about the module and Coursebook description Chapter 1: Transcendental Functions 1.1 Inverse Function					
	2	•	nscendental Functions atural Logarithm (In) 1			
	3	Chapter 1: Trai 1.3 Ex	nscendental Functions «ponential Function ne Function y=a [×]			
	4	Chapter 1: Transcendental Functions 1.4 Ordinary Logarithm 1.5 Base 10 Logarithm 1.6 Inverse of Trigonometric Function Quiz 3				
	5	Chapter 1: Trai 1.6 In	nscendental Functions verse of Trigonometric Function yperbolic Function			
	6	2.1 Ba	hniques of Integration asic Integration Formula tegration by Part			

		Quiz 5		
	7	Chapter 2: Techniques of Integration		
		2.3 Integration of Rational Function by Partial Fraction		
		Quiz 6		
	8	Chapter 2: Techniques of Integration		
		2.3 Trigonometric Substitution		
		Quiz 7		
		Mid-Term Exam		
		Chapter 2: Techniques of Integration		
	9	2.4 Numerical Integration		
		2.4.1 Trapezoidal Rule		
		Quiz 8		
		Chapter 2: Techniques of Integration		
	10	2.4 Numerical Integration		
		2.4.2 Simpson's Rule		
		Quiz 9		
	11	Chapter 2: Techniques of Integration		
		2.5 Improper Integration		
	11	2.5.1 Infinite Limit of Integration		
		Quiz 10		
		Chapter 2: Techniques of Integration		
	12	2.5 Improper Integration		
	12	2.5.2 Integral with Vertical Asymptotes		
		Quiz 11		
	13	General Example and Review the module		
	14	Quiz 12, 13, 14		
	15	Final Exam		
Literature:	1. George B. Thomas, Jr, Maurice D. Weir, Joel Hass, Christopher Heil < <thomas' 13="" calculus="" e="">> Pub, Pearson, 2010.</thomas'>			
	2. George B. Thomas, Jr, Maurice D. Weir, Joel Hass, Frank R. Gird < <thomas' 11="" calculus="" e="">> Pub, Pearson, 2005.</thomas'>			
	3. Salas Hile < <calculus 9th="" edition="" one="" variable="">> pub, John Wiley and sons, 2003.</calculus>			
	4. Howard Anton < <calculus 3ed="" analytic="" edition="" geometry;="" with="">> pub, John Wiley, 1983.</calculus>			
	5. James Swart < <ca< td=""><td>LCULUS 5th edition>> pub, Thomson, 2003.</td></ca<>	LCULUS 5th edition>> pub, Thomson, 2003.		
		homas < <calculus 10th="" analytic="" and="" edition="" geometry="">> pub, Addison Wesley, 2003.</calculus>		
Type of Teaching:	3 hrs. theory per week			
	1 hr. tutorial per week			
Pre-requisites:	1102			
Frequency:	Yearly in Fall semester			
Requirements for credit	For the award of credit points, it is necessary to pass the final module exam if:			
points:	1. The minimum annual effort is 15%.			
	2. Student's attendance is required in all classes.			
	2. Student's attenuance is			

Credit point:	5			
Grade Distribution:	For the award of credit points, it is necessary to pass the module exam. The module exam contains: A mid-term exam, class room activities, quizzes, home works and final exam on June. So, the final grade will be based upon the follow criteria:			
	Mid-term exam 20%			
	Activities and Quizzes 20%			
	Final exam 60%			
	Total 100%			
Work load:	The workload is 120h. It is the result of 60h attendance and 60h self-studies.			