## Chapter four

## Evaluation criteria from the perspective of business profitability and national economic profitability

The economic Rating a process key criteria upon which a comparison of the benefits (gains) and costs. The private sector is interested in the direct relationship between them. As the government sector to Abdicate for the direct and indirect effects of the costs and the amount of national, social and economic gains as well.

The first topic Business profitability standards
The main objective of the establishment of any project is to achieve the biggest profit possible within the financial analysis of projects and highlights the importance of this standard in the capitalist systems in particular. And it is considered average by the standards to judge the success of productive enterprise or failure in that system, but the systems of socialist believes that profit is one of the main objectives in establishing projects also in addition to other goals set out in the plan, and profits in those regimes turned to serving the community through the establishment of service projects.

Here, as a number of different methods and criteria under which is calculated business profitability, namely: -
First, the simple way of return.
Secondly, the way of payback period.
Third, the net present value of return.
Fourth, the internal rate of return.

## Fifth: profitability standard.

## Sixth: the foundations of calculating Extinctions

Seventh: break-even point Standard.
Eighth: Sensitivity analysis.

First, the simple rate of return (simple return): simple rate of return rate It can be defined as the rate of return or the accounting rate of return, that the interest rate on which to invest an equal amount to achieve an equal income for the years in which the project is investing in work and production. In other words, is "the interest rate that equals the present value of cash flows generated by the project and the costs required by the proposed project?" Or is a percentage of the net profit (after deducting depreciation and tax values) for a project in a normal year and the value of the initial investment.
And compares the rate of return on invested capital at the interest rate of deposit in the bank, if the rate of return greater than the interest rate of the project, prefer to deposit interest rate and vice versa.

Note: the standard is extracted as a percentage ROI. It must be yielding as always greater than the interest Otherwise; the project is considered a loser. If it was a simple rate of return higher than the interest rate the project in the financial market, the average project is good and regaining acceptance. If there is a choice between several projects are, of course, choose the project, which is simple for the biggest return on other projects average rate equal to impose all the other aspects surrounding this project. Being average rate of return calculated according to the following stages:

1. Identify the average annual income
2. Dividing the average annual income on invested capital to determine the rate of return.

The rate can be as follows simple Return (yield) calculation:

$$
\mathrm{R}=\frac{\Sigma \mathrm{Q}(\mathrm{P}-\mathrm{C})}{\mathrm{I}} \times 100
$$

Whereas:
$R=$ simple rate of return.
$\mathrm{Q}=$ annual production volume or size .
$\mathrm{P}=$ price per unit.
$\mathrm{C}=$ total cost of the unit for the year i .
I = initial cost of the project (capital Investor- Initial capital).

## Example (1):

The initial investment cost for the project is equal to $(100,000)$
dollars, and the size of the expected actual production (5000) and unit price per unit (8) dollars and the total cost of the unit, including the tax is (5) dollars.
the required : Extract the average simple Return

The solution:
(8-5) 5000
The average return $=$

the average return $=$


100000
$=15 \%$

However, production costs and the size are not fixed over the life of the project and for the purposes of accuracy in the calculation and the resolution using the following equation:
$\Sigma \mathrm{Qi}(\mathrm{Pi}-\mathrm{Ci})$


N
Whereas:
$R=$ simple rate of return.
$Q i=$ the volume of production for the year $i$.
$\mathrm{Pi}=$ price for the year i.
$\mathrm{Ci}=$ total cost of the unit for the year i .
$N=$ production life (not economic) or the life of the project.

Example(2)
In the table below information on production and prices, and the cost per unit for the old project size (5) years, and the initial cost of the project is 50 million dinars.

| Years | Annual production size <br> (Qi) | ID(Ci) The cost per unit | Prices by years (ID) (Pi) |
| :---: | :---: | :---: | :---: |
| $\mathbf{1}$ | $\mathbf{8 0 0 0 0 0}$ | $\mathbf{9 5}$ | $\mathbf{1 1 0}$ |
| 2 | 1000000 | $\mathbf{9 0}$ | 105 |
| 3 | 1300000 | $\mathbf{8 0}$ | 100 |
| 4 | 1500000 | 70 | 95 |
| 5 | 1650000 | 65 | 95 |

Requirement / extract the average return on investment?

## The solution:

1-total profit= $\square$
$12000000=(15 \times 800000)$
$15000000=(15 \times 1000000)+$
$26000000=(20 \times 1300000)+$
$37500000=(25 \times 1500000)+$
$49500000=(30 \times 1650000)+$

140000000
2. Average annual income
$28000000=5 \div 140000000=$

28000000
3 -average income $=$ $\qquad$ 100

50000000
$=\% 56$

Example(3): If the size of the output of a project and the prices and the cost and useful life as follows:

| Project Life | Annual production <br> size | Cost Unit | Price Unit |
| :---: | :---: | :---: | :---: |
| 1 | 400000 | 95 | 110 |
| 2 | 500000 | 90 | 105 |
| 3 | 650000 | 80 | 100 |
| 4 | 750000 | 70 | 95 |
| 5 | 825000 | 65 | 95 |

Required:

1. Calculate the simple average return on investment if I learned that the size of the investment is 100 million dinars.
2. Does the Clipper project in economic terms if I learned that the prevailing interest rate is $15 \%$.

The solution: 1 - The total profit =
$6000000=15 \times 400000 \square$

```
7500000=15\times500000
13000000=20 x 650000
18750000=25 ×750000
24750000=30 × 825000
7 0 0 0 0 0 0 0
2. Average annual income=
70000000 \div 5 = 14000000
    14000000
3-average Return = _ }\times100=%1
    1 0 0 0 0 0 0 0 0
```

The project rejected because the result (14\%) less than the prevailing interest rate (15\%) .

## Second: the standard of Pay-Back Period

The Pay-Back period is defined as the time scale for the period in which the investments exploited in the project can fully recover. The period during which the project can recover its funds. In other words the expected period of recovery of the original expenditure during this period.

Initial investment

1- Payback period = $\qquad$

Net annual cash flow

Size of Investment

2- Payback period = $\qquad$

Annual net profit

1
3. Payback period $=$ $\qquad$

Simple rate of return

## Note:

1. If the initial investment is not equal, it will be collected in a year until we reach the total that is equal to the initial investment.

2 - Initial investment = the original cost of fixed asset + increase in working capital.

Example (1): In table (1) there are four projects for investment and we want to choose one of these four projects.

|  |  |  |  | The annual net <br> cash flow |  | (USD) investment | Projects |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sum | Fifth <br> year | Fourth <br> year | Third year | Second <br> year | First <br> year |  |  |
| 280 | 30 | 50 | 80 | 70 | 50 | 120 | A |


| 175 | 15 | 20 | 30 | 50 | 60 | 140 | B |
| :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: |
| 240 | 20 | 30 | 60 | 60 | 70 | 160 | C |
| 310 | 40 | 60 | 70 | 80 | 160 | 200 | D |

Required: Which Project is best in this all projects

To see all this data about any project

| years 2 | $120=70+50$ | A |
| :--- | ---: | :--- |
| years 3 | $140=30+50+60$ | B |
| years 2.5 | $160=30+60+70$ | C |
| years 1.5 | $200=40+160$ | D |

We can choice (d) because it's the best project according to pay-back period

## Example (2):

When the head fixed capital (200,000 dinars) and the annual profit is ( 40,000 dinars), when it will be the steps as follows

| $200-40=160$ | First year |
| :--- | :--- |
| $160-40=120$ | Second year |
| $120-40=80$ | Third year |
| $80-40=40$ | Fourth Year |
| $40-40=0$ | fifth Year |

## :. A payback period is (5) years

or it can be solved according to the fair the following:

Example (3):
In Table (2) total revenue and total costs (without extinction) note that the total investment for the project is (36) thousand dinars.

| the years | Revenues (thousand dinars) | Costs without extinction | Profits |
| :---: | :---: | :---: | :---: |
| 2010 | 25 | 18 | 7 |
| 2011 | 30 | 19 | 11 |
| 2012 | 37 | 20 | 17 |
| 2013 | 33 | 22 | 11 |
| 2014 | 36 | 22 | 14 |
|  | $\mathbf{1 6 1}$ | $\mathbf{1 0 1}$ | 60 |

## Required: Calculate the payback period:

## The solution:

* Revenue - Cost $=$ Profit
* Average annual profit $=60 \div 5=12$
* Payback Period $=36 \div 12=3$ years.

And it can use another method called a manner that put the profits from the investments are as follows
$36-12=24$
$24-12=12$
$12-12=0$ or three years, this means that the payback period is 3 years

## Example (4):

In Table (3) About three different projects, the payback period is as shown in the accounts in the table of life will choose whichever is different according to the economic assets?

| Data | Project A | Project B | Project C |
| :---: | :---: | :---: | :---: |
| Investments | $\mathbf{1 2 0 0 0}$ | 12000 | 12000 |
| Average annual profit | $\mathbf{3 0 0 0}$ | $\mathbf{3 0 0 0}$ | 3000 |
| Life of the project | $\mathbf{5}$ | $\mathbf{8}$ | $\mathbf{4}$ |
| Gross profit | $\mathbf{1 5 0 0 0}$ | $\mathbf{2 4 0 0 0}$ | $\mathbf{1 2 0 0 0}$ |
| Payback period | $\mathbf{4}$ | $\mathbf{4}$ | $\mathbf{4}$ |

The solution:

Seen from the above information that the project $(B)$ is better because it:
(A) achieves appropriate period of recovery.
(B) The total and average more profits.
(C) The longest period of his life.

## Third: Net present value of return

the main feature of this standard is taking the time element into consideration when revenues and costs of the the proposed project. This means that distinction can be made using this standard between the monetary value of the unit during the different years of the life of the project, and can thus revenues and costs expected to be achieved in the future of the project estimate during the useful life of the project reflecting the value at the present time, by adopting the idea of an opponent and summed up the idea of an opponent in "reducing the stream of benefits (returns) and future costs of the project, equivalent to its value at the present time."

And measured by the present value of the project's net production revenue from the proceeds of the difference between the present value of the revenue stream and the present value of the stream of costs during the life of the project. The present value of all net profits (s) during the life of the project can be represented by the following equation: $N P V=\underline{S u m}$ Si Qi (Pi- Ci)-C

## Whereas:

$n p v=$ net present value of return.
$S=$ discount rate .
$\mathrm{N}=$ years.
$\mathrm{Qi}(\mathrm{Pi}-\mathrm{Ci})=$ annual cash flow.
$\mathrm{C}=$ initial cost of the project.
$\mathrm{Si}=$ a discount coefficient can be expressed as the following:
$\qquad$
$(1+p) n$

According to this standard, the projects that achieve positive present value of the net return can be accepted and otherwise enslave projects that achieve a negative value. But who is taken on this criterion (which is how you can choose between multiple positive with a net value of projects. It can illustrate the piece through the following example:

## Example (1):

If we have two projects $(A)$ and (B)
The first :

* Costs 100 monetary units.
* Returns 150 monetary units.
* Net Return $=150-100=50$ monetary units. (Positive value)

The second:

* Costs in 1000 monetary units.
* Revenue in 1100 monetary units.
* Net Return $=1100-1000=100$ monetary units. (Positive value)


## Note:

1. If you look at the two projects, we find that both are positive.
2. If you look at net returns, we find that the project compared to the best B Project $A$, because the net yield for the project equal to $B(100 \mathrm{MU})$ and greater than the net return for the project, which amounted to A (50 MU).
3. We will choose this project $(B)$ according to this method is that it has a positive net present value and greater. But the choice will be not correct, either by economic logic chooses A project because the cost of the first project, much of the second project on the one hand and on the other hand Revenues 50\% compared to the project $B$ which amounts to $10 \%$ less.

## Example (2):

Indeed, data from the initial project cost of Default $(100,000)$ and a monetary union and a life expectancy of 5 years and a discount rate (6\%) and the value of the rubble (25000) monetary unit.

| Years | Production size (MU) | unit price <br> (MU) | Unit cost <br> $(M U)$ | price- cost | Cash Flow <br> Qi(pi-ci) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 25000 | 2 | 1 | 1 | 25000 |
| 2 | 28000 | 2 | 0.92 | 1.08 | 30240 |
| 3 | 30000 | 1.9 | 0.93 | 0.97 | 29100 |
| 4 | 35000 | 1.9 | 0.86 | 1.04 | 36400 |
| 5 | 35000 | 1.9 | 0.86 | 1.04 | 36400 |

Required: calculate the net present value of the expected project.

The solution:

1. The present value of the flows of the project by Default years:

| Years | Cash flow <br> Qi(pi-ci) | Discount factor when the <br> discount rate (6\%) (Si) | The present value of cash flow <br> Si Qi (pi-ci) |
| :---: | :---: | :---: | :---: |
| 1 | 25000 | 0.9434 | 23585 |
| 2 | 30240 | 0.89 | 26913.6 |
| 3 | 29100 | 0.8396 | 24432.36 |
| 4 | 36400 | 0.7921 | 28832.44 |
| 5 | 36400 | 0.7473 | 27201.72 |
| total summation |  |  | $\mathbf{1 3 0 9 6 5 . 1 2}$ |

2. So the net present value equal to:
$130965.12-100000=30965.12 \mathrm{Mu}$

As is well known that the fixed assets of the project have value and which is called the value of the rubble, so let we must take into account the value of the rubble net income you get production unit at the end of the project life. Because it is the other representing a return of the project, provided that the value of turning the rubble in the last year of the life of the project to their present value (beating her opponent in the coefficient in the last year), which makes the equation formula as follows:
$\mathrm{S}=\mathrm{Sum} \mathrm{Qi}(\mathrm{Pi}-\mathrm{Ci})+\mathrm{R}(\mathrm{z}))-\mathrm{C}$

## Whereas:

R: discount on last year coefficient.
$Z$ : the value of the rubble.

Since the value of the rubble $=25000(\mathrm{Mu})$ The final results will be like this:

$$
30695.12+(25000 \times 0.7473)-100000
$$

$30695.12+(18682.5)-100000$
$=50352.38 \mathbf{M u}$

## Example 3:

We have three cost of each project $(\$ 1,000)$ and the Return of each of them equally and equal to $(\$ 1,200)$, the project life adult (5 years) each.

| years | Project A | Project B | Project C | The current value of the <br> dinar |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 350 | 150 | 0 | 0.952381 |
| 2 | 300 | 100 | 0 | 0.907025 |
| 3 | 300 | 150 | 400 | 400 |
| 4 | 100 | 400 | 600 | 0.822702 |
| 5 | 1200 | 1200 | 1200 |  |
| Sum |  |  |  |  |

Required: What is the best project at a discount rate (5\%).

The solution:
Discounted return

| Project A | Project B | Project C |
| :---: | :---: | :---: |
| 333.3 | 142.9 | 0 |
| 272.1 | 90.7 | 0 |
| 259.9 | 129.6 | 172.8 |
| 123.4 | 329.1 | $\mathbf{3 2 9 . 1}$ |
| 78.4 | 313.4 | $\mathbf{4 7 0 . 1}$ |
| 1066.4 | 1005.7 | $\mathbf{9 7 2}$ |

And after subtracting the cost (in 1000) for each of them will get:
$1066.4-1000=66.4$
$1005.7-1000=5.7$
$972-1000=-28$

This is the first project will be the best

## Example 4

If you have the following data from the two projects ( $A$ and $B$ ).

| the details | Project A | Project B |
| :---: | :---: | :---: |
| The investment cost of the project | $\$ 12000$ | $\$ 18000$ |
| The useful life | 5 years | 4 years |
| Annual net revenue | $\$ 3000$ | $\$ 5000$ |

## Knowing that:

1. the cost of the initial investment paid a single payment for the project (A).
2. Pay the initial cost of investment in two equal installments, the first when incorporation and the second in two years for the project (B).
3. The discount rate is the prevailing (7\%) (Prevailing interest rate).

Required: Which projects is a better way by the net present value?

## The solution:

The project (A):

1. The present value of the cost for project (investment cost) is $\$ 12,000$ pays for it all at once.
2. The present value of return (Revenue) net will be as follows:

First year $\quad 3000 \times 0.935=2805$

Second year $3000 \times 0.873=2619$

Third year $\quad 3000 \times 0.816=2448$

Fourth year $3000 \times 0.763=2289$

Fifth year $3000 \times 0.713=2139$

Sum $=12300$

So the total present value of revenues (revenues) $=12300$

Net Present Value = sum of discounted revenues - total discounted costs

The project (B):
1-extract discounted investment cost.

A-9000 for the first installment not discounting to drive it in the course of incorporation, but we are discounting the second installment, which shot just after two years at a discount rate (7\%) and we will get:

B-second installment $9000 \times 0.873=7857 \$$

Total investment cost is discounted:
$9000+7857=16857$ current value of the investment
2. In the same way extract net revenues discounted:

| First Year $=$ | $5000 \times 0.935=4675$ |
| :--- | :--- |
| second year $=$ | $5000 \times 0.873=4365$ |
| Third Year $=$ | $5000 \times 0.816=4080$ |
| Fourth Year $=$ | $5000 \times 0.763=3815$ |

So the total present value of revenues (revenues) $=16,936$

Net Present Value = sum of discounted revenue - total costs discounted
$16936-16857=\$ 79$
Fourth, the internal rate of return method (IRR) The basic idea it is to find the discount rate, which use equal to the investment value with the current value of the net cash flow over the life of the project, in other words is the discount rate that gives the project the present value of the cash flow is equal to zero, This rate can be calculated by the equation following:

IRR $=$ discount rate at least + difference between the discount price $\times$
Net present value of at least discount price the difference between the net present value of the price discount

## Note:

1. The project in which the internal rate of return equal to or accept more than the discount rate prevailing in the market, whenever this rate is higher than the discount rate the more the project is better than the other.
2. As a result of this equation are in percentages.

Example (1):
The following data represent the total revenue and costs for industrial project supposed to produce iron.

## Required:

Calculate the internal rate of return for the project, noting that the approved discount rate ranging between ( $9 \%-15 \%$ ), as the prevailing interest rate in the market is $12 \%$.

| Years | Revenues | Costs | discount rate of 9\% | Discount rate 15\% |
| :---: | :--- | :--- | :--- | :---: |
| 1 | 32000 | 82000 | 0.9174 | 0.8696 |
| 2 | 65000 | 98000 | 0.8417 | 0.7561 |
| 3 | 120000 | 100000 | 0.7722 | 0.6575 |
| 4 | 120000 | 100000 | 0.7084 | 0.5717 |
| 5 | 120000 | 100000 | 0.6499 | 0.4972 |
| 7 | 120000 | 100000 | 0.5963 | 0.4323 |
| 8 | 140000 | 100000 | 0.5019 | 0.3759 |
| 7 |  |  | 0.3269 |  |

## The solution:

| Years | Revenues | Costs | discount rate of 9\% | Discount rate 15\% | The present value of the Revenues at 9\% | The present value of the costs at 9\% | The present value of the Revenues at $15 \%$ | The present value of the costs at $15 \%$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 32000 | 82000 | 0.9174 | 0.8696 | 29356.8 | 75226.8 | 27827.2 | 71307.2 |
| 2 | 65000 | 98000 | 0.8417 | 0.7561 | 54710.5 | 82486.8 | 49146.5 | 74097.8 |
| 3 | 120000 | 100000 | 0.7722 | 0.6575 | 92664 | 77220 | 78900.0 | 65750 |
| 4 | 120000 | 100000 | 0.7084 | 0.5717 | 85008 | 70840 | 68616 | 57180 |
| 5 | 120000 | 100000 | 0.6499 | 0.4972 | 77988 | 64990 | 59664 | 49720 |
| 6 | 120000 | 100000 | 0.5963 | 0.4323 | 71556 | 59620 | 51876 | 43230 |
| 7 | 120000 | 100000 | 0.5470 | 0.3759 | 65640 | 54700 | 45108 | 37590 |
| 8 | 140000 | 100000 | 0.5019 | 0.3269 | 70266 | 50190 | 45766 | 32690 |
| Total |  |  |  |  | 547189.3 | 535283.4 | 426903.7 | 431565 |

1-net present value at the discount rate of $15 \%$ :
$426903.7-431565=-4661.3 \$$
11905.9
internal rate of return $=9+6 \times$
(-4661.3-11905.9 (

## 11905.9

$=9+6 \times$
$(4661.3)+11905.9$
$=9+6 \times(0.718)=$
$9+(4.308)=\% 13.308$
So we accept the project because the internal rate of return is $13 \%$ larger than the prevailing interest rate, which is $\mathbf{1 2 \%}$ price.

Example 2 the following data represent the aesthetic revenues and total costs of the project are supposed to produce industrial clothes.

- Note that the approved discount rate of between (18\%-20\%)
- Note that the interest rate in the market is $16 \%$.

| Years | Revenue | Costs |
| :---: | :---: | :---: |
| $\mathbf{1}$ | 132000 | 182000 |
| $\mathbf{2}$ | 165000 | 198000 |
| $\mathbf{3}$ | 220000 | 200000 |
| $\mathbf{4}$ | 220000 | 200000 |
| $\mathbf{5}$ | 220000 | 200000 |

Required: Calculate the internal rate of return for the project.

## Example 3

The following data represents total revenues and costs for an industrial project to produce fabrics.

| Years | Revenue | Costs | Discount rate <br> $9 \%$ | Discount rate 15\% |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 32000 | 82000 | 0.9174 | 0.8696 |
| 2 | 65000 | 98000 | 0.8417 | 0.7561 |
| 3 | 120000 | 100000 | 0.7722 | 0.6575 |
| 4 | 120000 | 100000 | 0.7084 | 0.5718 |
| 5 | 120000 | 100000 | 0.6499 | 0.4972 |


| 6 | 120000 | 100000 | 0.5963 | 0.4323 |
| :---: | :---: | :---: | :---: | :---: |
| 7 | 120000 | 100000 | 0.5470 | 0.3759 |
| 8 | 140000 | 100000 | 0.5051 | 0.3269 |

## Required: -

Calculate the internal rate of return for the project, noting that Discount rate approved between ( $9 \%-15 \%$ ), and the prevailing market interest rate of $(12 \%)$, and for the purpose of excluding the risk or uncertainty in the future assume increased costs for (2 \%).

## Fifth: Standard profitability:

The standard is divided into three main profitability sections: -

A: Standard profitability.
B: Standard profitability rate.
C: The standard capital turnover rate.

The annual net profit forecast
A: Standard profitability =
$=$ $\times 100$ Total capital

Note: choose the project that achieves the highest rate. Example (1):

Below three projects (A-B-C) specific to each project and information.

| Sequence | data | Project A | Project B | Project C |
| :---: | :---: | :---: | :---: | :--- |
| 1 | Fixed capital | 200 | 300 | 150 |


| 2 | Working capital <br> (variable) | 40 | 80 | 70 |
| :---: | :---: | :---: | :---: | :---: |
| 3 | Total capital | 240 | 380 | 220 |
| 4 | Annual discount rate | $\% 8$ | $8 \%$ | $8 \%$ |
| 5 | Taxnual output value and other <br> expenses | 110 | 100 | 80 |
| 6 | The annual net profit <br> forecast | 40 | 50 | 30 |
| 7 | Annual costs | 500 | 650 | 390 |
| 8 | Life of the project | 10 | 15 | 15 |

Required: What is the order of the project in terms of profitability?

Solution:

$$
\text { project } \mathbf{A}=\frac{40}{\begin{array}{c}
240 \\
50
\end{array}} \times 100=\% 17
$$

$$
\text { project } \mathbf{B}=\frac{}{380} \times 100=\% .13
$$

$$
30
$$

$$
\text { project } \mathbf{C}=\frac{\pi 0}{220} \times 100=\% 14
$$

We choose this project (A)

B: Standard profitability rate.
Net annual income
A: Standard profitability rate $=\longrightarrow \quad \times 100$
Fixed capital
Note: Select the project that achieves the highest rate.
Example (2):
Below are three projects (A-B-C) and information for each project?

| Sequence | data | Project A | Project B | Project C |
| :---: | :--- | :---: | :---: | :---: |
| 1 | Fixed capital | 200 | 300 | 150 |
| 2 | The annual income | 30 | 50 | 45 |
| 3 | Expenses | 10 | 15 | 5 |
| 4 | Net annual income | 20 | 35 | 40 |

Required: What is the order of the project in terms of standard profitability rate? Solution:
20
project $\mathbf{A}=\underline{200} \times 100=\% 10$
35
project $B=$ $\times 100=\% .12$
300
40
project $\mathbf{C}=$ $\qquad$ $\times 100=\% 27$
150

We choose this project (c)

C: Standard capital turnover rate:

It is the ratio between the annual output value of the project and the capital. This ratio (the speed of capital turnover) reflects the project's ability to achieve profits without the need to estimate or calculate the profit.

## Output value

$\mathrm{C}:$ Standard capital turnover rate $=\longrightarrow \quad \times 100$
Total capital
Note: Select the project that achieves the highest rate.
Example (3):
Below are three projects ( $\mathrm{A}-\mathrm{B}-\mathrm{C}$ ) and the information for each project is the order of the project in terms of the rate of turnover of capital?

| Sequence | data | Project A | Project B | Project C |
| :---: | :--- | :---: | :---: | :---: |
| 1 | Total capital | 200 | 300 | 160 |
| 2 | Output value | 600 | 1200 | 800 |
| 3 | Capital turnover | 3 | 4 | 5 |
| 4 | Arrange for <br> projects upon <br> selection | Third | Second | First |

If the first project with a profit rate (6\%) and the second (8\%) and the third (4\%), the arrangement of these projects will be as follows:

Net profit for the project $(A)=3 \times 6=18$ Third
Net profit for the project $(B)=4 \times 8=32$ First
Net profit for the project $(C)=5 \times 4=20 \quad$ Second
It is a different order arrangement than the first case.

## Example (4):

In the table below are three alternatives to an industrial project (A.B.C) and information for each project.

Required:-

1. What is the order of alternatives in terms of business profitability?
2. What is the order of alternatives in terms of profitability rate?

| Sequence | data | Project A | Project B | Project C |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{1}$ | Fixed capital | 1200 | $\mathbf{1 8 0 0}$ | $\mathbf{9 0 0}$ |
| $\mathbf{2}$ | Annual costs | 3000 | $\mathbf{3 9 0 0}$ | $\mathbf{2 3 4 0}$ |
| $\mathbf{3}$ | The annual income | 270 | $\mathbf{4 5 0}$ | $\mathbf{4 0 5}$ |
| $\mathbf{4}$ | Annual discount rate | $\% 8$ | $\mathbf{8 \%}$ | $\mathbf{8 \%}$ |
| $\mathbf{5}$ | Age of production <br> project | 10 | $\mathbf{1 0}$ | $\mathbf{1 5}$ |
| $\mathbf{6}$ | Working capital | 240 | $\mathbf{4 8 0}$ | $\mathbf{4 2 0}$ |
| $\mathbf{7}$ | Net annual income | $\mathbf{1 2 0}$ | $\mathbf{2 1 0}$ | $\mathbf{2 4 0}$ |

Example (5):
Below are three projects (A-B-C), and information for each project:

| The details | Project A | Project B | Project C |
| :---: | :---: | :---: | :---: |
| Fixed capital | $\mathbf{6 0 0}$ | $\mathbf{9 0 0}$ | $\mathbf{4 5 0}$ |
| Variable Capital | $\mathbf{9 0}$ | $\mathbf{1 5 0}$ | $\mathbf{1 3 5}$ |
| Expected annual net <br> profit | $\mathbf{1 2 0}$ | $\mathbf{1 5 0}$ | $\mathbf{9 0}$ |
| Net annual income | $\mathbf{6 0}$ | $\mathbf{7 5}$ | $\mathbf{1 2 0}$ |
| Output value | $\mathbf{1 8 0 0}$ | $\mathbf{3 6 0 0}$ | $\mathbf{2 4 0 0}$ |

Required: These projects are arranged according to:
1- Business profitability.
2- Profitability rate.
3. Capital turnover.

## Sixth: Basis of Calculating Spreads

Depreciation or so-called depreciation of assets or depreciation of assets is an accounting charge carried at the expense of profits and losses and reflects the use of assets and the depreciation of their value as a result of such use or statute of limitations in order to reach the figure reflects profits as a reflection of the truth.

First: Depreciation:
Depreciation is calculated in many different ways, but the most important and most common are:
(A) Fixed-line method:

Depreciation is calculated on the basis of a fixed percentage of the original value during its economic life as in the following equation:

## C-S <br> $\mathrm{D}=$ <br> 

## Whereas:

$\mathrm{D}=$ Annual depreciation premium.
$\mathrm{C}=$ initial value of the origin.
$S=$ The value of the ruins.
$\mathrm{N}=$ the economic age of the original
The rate of depreciation as follows
1
Depreciation rate $=\longrightarrow \times \mathbf{1 0 0}$
Economic Age

## Example (1):

It is expected that the value of capital repairs and modernization during its economic life (\$2000), the value of the sale of the rubble of \$ 500 and its economic life (10 years), what is the depreciation rate and its annual amount under the straight line method?

The solution:
1000-500

$$
\text { Annual depreciation }=\frac{}{10}=\mathbf{9 5 0} \$
$$

1
Percentage $($ depreciation $)=\square \mathbf{1 0 0}=\mathbf{1 0 \%}$ 10

Example (2):
Machine price (\$8000), and its value as scrap $(\$ 1,400)$ and her economic life (10 years).

Required: Calculate amortization rate using the fixed-line method?

## The solution:

$$
\text { Rate of depreciation }=\xlongequal{800-1400}=\mathbf{6 6 0} \$
$$

$$
10
$$

B) The reduced installment method:

Depreciation under this method is calculated using the discount rate of the original value as in the equation below: $\square$

$$
D=1-\left(\frac{S}{C}\right)^{\frac{1}{N}}=D=1-\sqrt[N]{\frac{S}{C}}
$$

Annual depreciation under this method decreases each year compared to the previous year.

## Example (3):

Machine value (\$1000) and the value of the sale as rubble is (\$100) and its economic life (10 years), found in a decreasing installment method depreciation rate as well as the current sale value in the 6 year.

The solution:

$$
D=1-\sqrt[10]{\frac{100}{1000}} \quad=1-0.79=0.21
$$

The details of this process are carried out through the use of the fixed percentage of depreciating depreciation Agencies:

First Year: (Current Selling Value)
The amount of the first year premium $1000 \times 0.2057=205.7$
$1000-205.7=794.3 \$($ Selling Price $) \square$
The amount of the first year premium $1000 \times 0.2057=205.7$
(Selling value)

$$
1000-205.7=794.3 \$
$$

Second year: (current sales value)
The amount of the second year premium is $0.2057 \times 794.3=163.4$
(sales value) 794.3-163.4 = \$ 630.9
Third year: (current sales value)

The amount of the third year premium is $630.9 \times 0.2057=129.8$ (Selling value) 630.9-129.8 = 501.1

Fourth year: (current sales value)

The amount of the fourth year premium is $501.1 \times 0.2057=103.1$
(Selling value) 501.1-103.1 $=\$ 398$
Fifth year: (current sales value)

The amount of the fifth year premium is $398 \times 0.2057=81.9$

$$
(\text { Selling value })=398-81.9=\$ 316.1
$$

Sixth year: (current sales value)
Sixth year premium amount is $316.2 \times 0.2057=.6502$
$($ Selling value $)=316.2-65.02=\$ 251.18$

## National economic profitability standards

The standards or measures of national economic profitability have an important and clear difference compared to the national profitability standards, and the most important criteria adopted to measure national economic profitability are:

First: Foreign exchange standard (abundance in foreign exchange - benefit from foreign exchange).
Second: the benefit-to-cost standard.
Third: the standard of production-to-costs.
Fourth: The standard of return on investment.
Fifth: The Capital Intensification Standard.
Sixth: The standard of employment and wages.
Seventh: The value-added factor.
Eighth: capital laboratories to production.
Ninth: The criterion of the rate of social return.

## First: Foreign exchange standard (abundance in foreign exchange - benefit from foreign exchange):

Foreign exchange is one of the rare elements of production, especially in developing countries. Reliance on this criterion will lead to preferring projects that require the least amount of foreign currency, or that generate the largest return on foreign exchange, either by export or by replacing the products of those projects with Imported goods.
One of the important reasons that lead to the adoption of this standard, and consequently the establishment of industrial projects for imported goods, is the desire to provide foreign currency through the way of reducing payments from that currency in order to benefit from them for strategic purposes (economically, socially, politically) such as obtaining production equipment or raw materials or Complementary parts not available locally.

We choose the project that needs the least amount of money estimated in foreign exchange, especially fixed and working capital and maintenance, as well as the production of goods that replace imports. The following parameter is used to calculate foreign exchange:

Net product added in foreign exchange

## Foreign exchange factor $=\ldots \times 100$ Capital investment

## Example (1):

If the establishment of a project costs the size of the capital investment (8) million monetary units in hard currency, and at the same time produces a value of $(1200,000)$ monetary units annually in hard currency, the foreign exchange factor based on the above formula becomes as follows:

1200000
Foreign exchange factor $=\frac{100}{8000000} \times 100=15 \%$

Note: The project that gives the best laboratory is preferred.
However, the criterion remains suffering from defects and intakes, and the reason for this is that a large amount may be spent on importing a specific commodity such as planes, for example, but the cost of setting up a factory for it drains a foreign currency larger than the cash spent on importing it, so this indicator needs more accuracy and scientific study.

Therefore, it is necessary to rely on the indicator more precisely, which is the expected saving rate in foreign currency. The results of the last indicator can be determined by comparing the amount of savings expected in foreign currency - as a result of producing the commodity locally - with the estimated cost of setting up the project in foreign currency in the country. During the use of the following equation:

The expected annual savings in foreign currency The expected savings rate in foreign currency $=\ldots \times 100$ The expected investment cost in foreign currency

Example (2):
If the establishment of a project costs (8) million monetary units in hard currency, while achieving the redemption of the value of (2) million monetary units annually in hard currency, the ratio of saving in hard currency according to the above formula is
as follows:

2000000
Expected savings rate in foreign currency $=\square \times 100=25 \%$
8 million
This means that by establishing this project, we can save annually (25\%) of the foreign exchange that was previously allocated to the import.

## Second: the benefit / cost ratio

This standard is considered one of the complementary criteria of the net present value (NPV) standard, and is used in selecting the project that achieves the highest evidence of profitability, and is therefore used in the arrangement of investment projects that achieve positive values. It is clear that the economic project has multiple economic effects, such as increasing the production of the units it produces, creating new job opportunities, Reducing the need for foreign capital, by increasing exports, reducing imports, or both, often having other cultural, social, or health implications. Based on this, if we are able to find the amount of these benefits and attribute them to costs, we can obtain a factor that shows us the amount of reaching the society's goals. This criterion compares the benefits (returns) with the discounted costs, and they are calculated as follows:

Total discounted benefits
Ratio of returns (benefits) to costs $=\square$
Total costs deducted

Note: The general rule in using this criterion in evaluating projects is acceptance of projects in which the ratio of returns (benefits) to costs is one and more correct.

Example (1):
If there are three projects (A, B, and C), the information is available as shown below :

| Required information | Project A | Project B | Project C |
| :--- | :---: | :---: | :---: |
| 1- Fixed capital | $200 \square$ | $300 \square$ | $500 \square$ |
| 2- The net annual <br> production value | $50 \square$ | $70 \square$ | $80 \square$ |
| 3- The net production value | $20 \square$ | $30 \square$ | $40 \square$ |
| 4- Consumption (extinction) | $15 \square$ | $25 \square$ | $20 \square$ |
| 5- Indirect benefits | $40 \square$ | $60 \square$ | $80 \square$ |
| 6- Total costs | $35 \square$ | $55 \square$ | $60 \square$ |
| 7- Benefits (returns)(2 +5) | $90 \square$ | $130 \square$ | $160 \square$ |

Required: Arrange projects according to returns to costs and benefits to costs. The first requirement:
Returns to costs:

50
Project $\mathrm{A}=\square=1.42$
35

70
Project $\mathrm{B}=\square=.127$
55
80
Project $\mathrm{C}=\square=.133$
60
The second requirement:
Benefits to costs:

Project $\mathrm{A}=$ $\qquad$ $=2.57$
35
130
Project (b) $=$ $\qquad$ $=2.36$
55
160
Project $C=\frac{1}{60}=2.66$

Third: The criterion of the rate of production to costs:
This standard compares production with total costs, and is calculated as follows:

## Amount or value of net annual production

Production-to-cost ratio $=$ $\qquad$
Total costs
Note: Of course, the greater that difference between the production value (the amount of production) and the total costs, that is better.

## Example (1):

If there are three projects ( $\mathrm{A}, \mathrm{B}$, and C ), the information is available as shown below, and it is required to clarify the priority arrangement of the projects according to production to costs.

| Required information | Project A | Project B | Project C |
| :--- | :---: | :---: | :---: |
| 1- Fixed capital | $200 \square$ | $300 \square$ | $500 \square$ |
| 2- The net annual <br> production value | $50 \square$ | $70 \square$ | $80 \square$ |
| 3- Operating expenses | $20 \square$ | $30 \square$ | $40 \square$ |
| 4- Consumption (extinction) | $15 \square$ | $25 \square$ | $20 \square$ |


| 5- Total costs | $35 \square$ | $55 \square$ | $60 \square$ |
| :--- | :---: | :---: | :---: |

The solution:
50
Project $\mathrm{A}=-=1.42$
35

70
Project $\mathrm{B}=\longleftarrow=.127$
55
Project $\mathrm{C}=\frac{80}{60}=.133$

