

Questions Bank For Water Resource Management

Q1: Find the feasible region and the optimal solution of the following L.P.P:

$$\text{Max } Z = 5x_1 + 4x_2$$

Sub. To

$$2x_1 + 4x_2 \leq 8$$

$$-2x_1 + x_2 \leq 2$$

$$3x_2 \leq 9$$

$$4x_1 + x_2 \leq 4$$

$$x_1, x_2 \geq 0$$

Q2: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Min } Z = 4x_1 + 8x_2$$

Sub. To

$$4x_1 + 2x_2 \leq 8$$

$$-7x_1 + 4x_2 \leq 28$$

$$8x_1 + 6x_2 \leq 48$$

$$4x_1 - x_2 \leq 4$$

$$x_1, x_2 \geq 0$$

Q3: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Maximize } z = x_1 + 2x_2$$

$$\text{subject to } x_1 \leq 80$$

$$x_2 \leq 60$$

$$5x_1 + 6x_2 \leq 600$$

$$x_1 + 2x_2 \leq 160$$

$$x_1, x_2 \geq 0$$

Q4: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Min } Z = x_1 - 3x_2 - 2x_3$$

$$\text{Sub. To } 3x_1 - x_2 + 2x_3 \leq 7$$

$$-2x_1 + 4x_2 \leq 12$$

$$-4x_1 + 3x_2 + 8x_3 \leq 10$$

$$x_1, x_2, x_3 \geq 0$$

Q5: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Minimize } z = 200x_1 + 300x_2$$

$$\text{subject to } 2x_1 + 3x_2 \geq 1200$$

$$x_1 + x_2 \leq 400$$

$$2x_1 + 1.5x_2 \geq 900$$

$$x_1, x_2 \geq 0$$

Q6: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Minimize } z = 40x_1 + 60x_2$$

$$\text{subject to } 2x_1 + x_2 \geq 70$$

$$x_1 + x_2 \geq 40$$

$$x_1 + 3x_2 \geq 90$$

$$x_1, x_2 \geq 0$$

Q7: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

Objective function

$$Z_{\max}=f(x)=40x_1+88x_2$$

Subjected to:

$$2x_1+8x_2\leq 60$$

$$5x_1+2x_2\leq 60$$

$$x_1\geq 0$$

$$x_2\geq 0$$

Q8: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

Minimize $Z=-6x_1-2x_2$

With constraints:

$$2x_1+4x_2\leq 9$$

$$3x_1+x_2\leq 6$$

$$x_1, x_2\geq 0$$

Q9: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

Maximize $Z=x_1+x_2$

With constraints:

$$x_1-x_2\geq 1$$

$$x_2\leq 2$$

$$x_1, x_2\geq 0$$

Q10: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Min . } z = 2x_1 + 3x_2$$

$$\text{Subject to :- } x_1 + x_2 \geq 10$$

$$3x_1 + 5x_2 \leq 15$$

$$X \geq 0$$

Q11: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Max. } z = x_1 + x_2$$

$$\text{Subject to :- } x_1 - x_2 \geq 1$$

$$x_2 \leq 2$$

$$X \geq 0$$

Q12: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Minimize } Z=2X_1+3X_2$$

With constraints:

$$X_1 + X_2 \geq 10$$

$$3X_1 + 5X_2 \leq 15$$

$$X_1, X_2 \geq 0$$

Q13: Suppose a farmer has 75 acres on which to plant two crops: wheat and barley. To produce these crops, it costs the farmer (for seed, fertilizer, etc.) \$120 per acre for the wheat and \$210 per acre for the barley. The farmer has \$15,000 available for expenses. But after the harvest, the farmer must store the crops while awaiting favorable market conditions. The farmer has storage space for 4,000 bushels. Each acre yields an average of 110 bushels of wheat or 30 bushels of barley. If the

net profit per bushel of wheat (after all expenses have been subtracted) is \$1.30 and for barley is \$2.00, how should the farmer plant the 75 acres to maximize profit?

Q14: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Minimize } Z = -3X_1 - 4X_2$$

With following constraints :

$$X_1 + X_2 \leq 20 \quad \dots\dots\dots(1)$$

$$X_1 + 4X_2 \geq 20 \quad \dots\dots\dots(2)$$

$$X_1 \geq 10 \quad \dots\dots\dots(3)$$

$$X_2 \leq 5 \quad \dots\dots\dots(4)$$

$$X_1, X_2 \geq 0$$

Q15: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Minimize } Z = 40x_1 + 36x_2$$

$$\text{subject to } x_1 \leq 8 \quad \dots\dots\dots(1)$$

$$x_2 \leq 10 \quad \dots\dots\dots(2)$$

$$5x_1 + 3x_2 \geq 45 \quad \dots\dots\dots(3)$$

$$x_1, x_2 \geq 0$$

Q16: find the feasible region and the optimal solution for the following L.P.P model using Graphical method.

$$\text{Maximize } Z = 5x_1 + 4x_2$$

$$\text{subject to } 2x_1 - 3x_2 \leq 6 \quad \dots\dots\dots(1)$$

$$5x_1 + 2x_2 \leq 15 \quad \dots\dots\dots(2)$$

$$-x_1 + 6x_2 \leq 8 \quad \dots\dots\dots(3)$$

$$x_1, x_2 \geq 0$$

Q17:A contractor is considering two material pits to supply a project. The unit cost to load and deliver the material to the project site is 5 \$/m³ from pit 1 and 7 \$/m³ from pit 2. He must deliver a minimum of 10,000 m³ to the site. The material of pit 1 consists of 30% sand and 70% gravel. The material of pit 2 consists of 60% sand, 30% gravel and 10% silt. The delivered mix must contain at least 50% sand, not more than 60% gravel and not more than 8% silt. Formulate a minimum-cost model and solve it.

Q18:A farmer produces two crops: wheat and rice. The farmer has a production capacity of 40 ton of crops. Because of limited sale opportunity, he can sell a maximum of 30 ton of wheat and 24 ton of rice. The gross margin from the sale of 1 ton of wheat is 100,000 ID and from 1 ton of rice is 80,000 ID. Find the optimal production.

Q19:A company manufactures sluice gates of types A and B. The wholesale price is \$40 per gate for A and \$88 for B. Two machines M1 and M2 produce the gates. On M1 it requires 2 min for producing an A gate and 8 min for a B gate. On M2 one needs 5 min for an A gate and 2 min for a B gate. Determine the optimum number of sluice gates produced per hour so that the hourly revenue is maximum.

Q20:

Formulate the problem of selecting the best alternative for the farm cropping pattern by building an analytical model for the problem below:

Crop	Irrigation Water (cm)	Total Operational Expenses (\$/don)	Gross Return (\$/don)
A	35	900	1400
B	15	150	550

Available Resources: Land = 40 don; Capital = \$15000; Water = 735 don.cm

Q21:In the planning of a two-roomed building, the contract states that the total floor area of the building must be at least 500 m² and that each

room must have a maximum area of 500 m² and 300 m², respectively. The goal is to maximize the total revenue, assuming that the revenue per m² of the rooms are \$50 and \$60, respectively. Formulate a mathematical model for the problem and solve it graphically.

Q22: Use the simplex method to maximize

$$P = 6x + 2y$$

subject to the constraints

$$2x + y \leq 10$$

$$x + y \leq 8$$

$$x \geq 0$$

$$y \geq 0$$

Q23: using simplex method to solve the following L.P problem:

$$\text{Min. } z = -2x_1 - 4x_2$$

$$\text{St: } 3x_1 + 4x_2 \leq 1700$$

$$2x_1 + 5x_2 \leq 1600$$

$$X \geq 0$$

Q24: using simplex method to solve the following L.P problem:

$$\text{Max. } z = 2x_1 + 4x_2$$

$$\text{St: } 5x_1 + 7x_2 \leq 5$$

$$3x_1 + 2x_2 \leq 6$$

$$X \geq 0$$

Q25: using simplex method to solve the following L.P problem:

$$\text{Min. } z = 2x_1 + 3x_2 + 8x_3$$

$$\text{Subject: } x_1 - 5x_2 - 10x_3 \geq 10$$

$$-x_1 + 3x_2 + 4x_3 \leq 15$$

$$X \geq 0$$

Q26:using simplex method to solve the following L.P problem:

$$\text{Min. } z = 8x_1 - 2x_2 - 3x_3$$

$$\text{Subject: } 5x_1 - 5x_2 - 3x_3 \leq 15$$

$$2x_1 - x_2 - x_3 \leq 10$$

$$X \geq 0$$

Q27:using dual simplex method to solve the following L.P problem:

$$\text{Min. } z = 2x_1 + 3x_2 + x_3$$

$$\text{Subject: } 2x_1 + x_2 - x_3 \geq 10$$

$$x_1 + 3x_2 + 2x_3 \geq 15$$

$$X \geq 0$$

Q28:using simplex method to solve the following L.P problem:

$$\text{Min. } z = -2x_1 - x_2$$

$$\text{St: } 2x_1 + 4x_2 \geq 4$$

$$-x_1 + 3x_2 = 10$$

$$x_1 + x_2 \leq 6$$

$$x_1 - x_2 \leq 3$$

$$X \geq 0$$

Q29:using simplex method to solve the following L.P problem:

$$\text{Min. } z = -2x_1 - 3x_2 - 4x_3$$

$$\text{St: } x_1 - 2x_2 + x_3 \geq 12$$

$$x_1 - x_2 - 2x_3 = 5$$

$$-x_1 + x_2 + 3x_3 \leq 6$$

$$X \geq 0$$

Q30:using simplex method to solve the following L.P problem:

$$\text{Min . } z = 4x_1 + x_2 + x_3$$

$$\text{St: } 2x_1 + x_2 + 2x_3 = 4$$

$$3x_1 + 3x_2 + x_3 = 3$$

$$X \geq 0$$

Q31:using simplex method to solve the following L.P problem:

$$\text{Max . } z = 3x_1 + 4x_2$$

$$\text{St: } x_1 + 2x_2 \geq 10$$

$$x_1 - x_2 = 5$$

$$-x_1 + 3x_2 \leq 20$$

$$X \geq 0$$

Q32:using simplex method to solve the following L.P problem:

$$\text{Min . } z = -3x_1 - 4x_2$$

$$\text{St: } x_1 - 2x_2 \geq 10$$

$$-x_1 + x_2 = 5$$

$$2x_1 + 2x_2 \leq 20$$

$$X \geq 0$$

Q33:using simplex method to solve the following L.P problem:

$$\text{Min } z = x_2 + x_3$$

$$\text{St: } 2x_1 - 5x_2 + 7x_3 \geq 0$$

$$x_1 - x_2 + 2x_3 = 2$$

$$x_1 - 2x_2 + 3x_3 \leq 1$$

$$X \geq 0$$

Q34:using dual simplex method to solve the following L.P problem:

$$\text{Min } Z = 3x_1 + 2x_2 + 3x_3$$

Sub. to

$$x_1 + 4x_2 + x_3 \geq 7$$

$$2x_1 + x_2 + x_4 \geq 10$$

$$x_1, x_2, x_3, x_4 \geq 0$$

Q35:using dual simplex method to solve the following L.P problem:

$$\text{Min } Z = 5x_1 + 6x_2$$

$$\text{Sub. to } x_1 + 9x_2 \leq 60$$

$$2x_1 + 3x_2 \leq 45$$

$$5x_1 + 2x_2 \geq 20$$

$$x_1, x_2 \geq 0$$

Q36: Use simplex method to solve the following linear programming problem (L.P.P).

$$\text{Max } Z = 12x_1 + 8x_2$$

Sub. To

$$8x_1 + 6x_2 \leq 2200$$

$$4x_1 + 9x_2 \leq 1800$$

$$x_1 + 2x_2 \leq 400$$

$$x_1, x_2 \geq 0$$

Q37: solve by simplex method

$$\text{Maximize } Z = 5x_1 + 4x_2$$

subject to

$$2x_1 - 3x_2 \leq 6$$

$$5x_1 + 2x_2 \leq 15$$

$$-x_1 + 6x_2 \leq 8$$

$$x_1, x_2 \geq 0$$

Q38:

(by simplex) A manufacturer produces three types of plastic fixtures. The time required for molding, trimming, and packaging is given in Table. (Times are given in hours per dozen fixtures.)

<i>Process</i>	<i>Type A</i>	<i>Type B</i>	<i>Type C</i>	<i>Total time available</i>
<i>Molding</i>	1	2	$\frac{3}{2}$	12,000
<i>Trimming</i>	$\frac{2}{3}$	$\frac{2}{3}$	1	4,600
<i>Packaging</i>	$\frac{1}{2}$	$\frac{1}{3}$	$\frac{1}{2}$	2,400
<i>Profit</i>	\$11	\$16	\$15	—

How many dozen of each type of fixture should be produced to obtain a maximum profit?

Q39: Find the dual problem of the following L.p primal problem:

$$1) \text{ Max } Z = 5x_1 + 12x_2 + 4x_3$$

$$\text{Sub.to } x_1 + 2x_2 + x_3 \leq 10$$

$$2x_1 - x_2 + 3x_3 = 8$$

$$x_1, x_2, x_3 \geq 0$$

Q40: Find the dual problem of the following L.p primal problem:

$$\text{Max } Z = x_1 - x_2$$

$$\text{Sub.to } 2x_1 + x_2 = 5$$

$$3x_1 - x_2 = 6$$

x_1, x_2 unrestricted

Q41: Find the dual problem of the following L.p primal problem:

$$\text{Max } Z = 5x_1 + 20x_2$$

$$\text{s.t } 5x_1 + 2x_2 \leq 20$$

$$x_1 + 2x_2 \leq 8$$

$$x_1 + 6x_2 \leq 12$$

$$x_1, x_2 \geq 0$$

Q42: Find the dual problem of the following L.p primal problem:

$$\text{Max } Z = 5x_1 + 4x_2$$

$$\text{s.t } x_1 + 2x_2 \leq 6$$

$$2x_1 + 2x_2 \leq 8$$

$$-x_1 + x_2 \leq 1$$

$$x_2 \leq 2$$

$$x_1, x_2 \geq 0$$

Q43: A company produces two types of construction materials: concrete patching product (CONP) and decorative brick mortar (MORT). The company can sell the CONP for a profit of LE 140/ton and the MORT for a profit of LE 160/ton. Each ton of the CONP requires 2 m³ of the red clay and each ton produced of the MORT requires 4 m³. A maximum of 28 m³ of the red clay could be available every week. The machine used to blend these products can work only a maximum of 50

hr/week. This machine blends a ton of either product at a time, and the blending process requires 5 hr to complete. Each material must be stored in a separate curing vat, thus limiting the overall production volume of each product. The curing vats for CONP and MORT have capacities of 8 and 6 tons, respectively. What is optimal production strategy for the company given this information?

Q44:-A diet for a sick person must contain at least 4,000 units of vitamins, 50 units of minerals and 1,400 calories. Two foods A and B are available at a cost of Rs. 4 and Rs. 3 per unit, respectively. If one unit of A contains 200 units of vitamins, 1 unit of mineral and 40 calories and one unit of food B contains 100 units of vitamins, 2 units of minerals and 40 calories. Formulate this problem as an LP model and solve it by graphical method to find combination of foods to be used to have least cost?

Q45:Solve the following LPP by using Big -M Method

$$\text{Max } Z = 3x_1 + 2x_2 + x_3$$

Subject to

$$2x_1 + x_2 + x_3 = 12$$

$$3x_1 + 4x_2 = 11$$

and x_1 is unrestricted

$$x_2 \geq 0, x_3 \geq 0$$

Q46:Solve the following LPP by using Big -M Method

$$\text{Minimize } Z = 5x_1 + 7x_2$$

$$\text{such that: } -2x_1 + x_2 \geq 0$$

$$-x_1 + 3x_2 \geq 0$$

$$-4x_1 + x_2 \leq 0$$

$$x_1 + x_2 \geq 10,000$$

$$x_1, x_2 \geq 0$$

Q47: Use penalty (or Big 'M') method to

$$\text{Maximize } Z = 50x_1 + 60x_2$$

$$\text{subject to } x_1 + x_2 \geq 500$$

$$x_1 \leq 500 \quad x_2 \leq 300$$

$$x_1, x_2 \geq 0$$

Q48: Use penalty (or Big 'M') method to

$$\text{Minimize } z = 4x_1 + 3x_2$$

subject to the constraints :

$$2x_1 + x_2 \geq 10, \quad -3x_1 + 2x_2 \leq 6$$

$$x_1 + x_2 \geq 6, \quad x_1 \geq 0 \text{ and } x_2 \geq 0.$$

Q49: Solve the following LPP by using Big -M Method

$$\text{Maximize } Z = 6X_1 + 4X_2$$

Subject to constraints:

$$2X_1 + 3X_2 \leq 30$$

$$3X_1 + 2X_2 \leq 24$$

$$X_1 + X_2 \geq 3$$

Q50: Solve the following problem using Big-M method:

$$\text{Min } Z = 2x_1 + x_2$$

$$\text{Sub. to } 3x_1 + x_2 \geq 3$$

$$4x_1 + 3x_2 \geq 6$$

$$x_1 + 2x_2 \leq 3$$

$$x_1, x_2 \geq 0$$

Q51: Solve the following problem using Big-M method:

$$\text{Maximize } z = 5x_1 + x_2$$

$$\text{Subject to } x_1 \leq 10$$

$$x_1 - 2x_2 \geq 3$$

$$x_1 + x_2 = 12$$

$$x_1, x_2 \geq 0$$

Q52: Solve the following problem using Big-M method:

$$\text{Minimize } z = 4x_1 + x_2$$

Subject to:

$$3x_1 + x_2 = 3$$

$$4x_1 + 3x_2 \geq 6$$

$$x_1 + 2x_2 \leq 4$$

$$x_1, x_2 \geq 0$$

Q53: Solve the following problem using Big-M method:

$$\text{Min } z = 2x_1 + 3x_2$$

$$\text{s.t. } \frac{1}{2}x_1 + \frac{1}{4}x_2 \leq 4 \dots\dots\dots 1$$

$$x_1 + 3x_2 \geq 20 \dots\dots\dots 2$$

$$x_1 + x_2 = 10 \dots\dots\dots 3$$

$$x_1, x_2 \geq 0$$

Q54: Solve the following problem using Big-M method:

$$\text{Max } z = 5x_1 + 12x_2 + 4x_3$$

$$x_1 + 2x_2 + x_3 \leq 5$$

$$2x_1 + x_2 + 3x_3 = 2$$

$$x_1 \geq 0 \quad x_2 \geq 0 \quad x_3 \geq 0$$

Q55: Solve the following problem using Big-M method:

$$\text{MIN } z = 4x_1 + x_2$$

$$\text{S.T. } 3x_1 + x_2 = 3$$

$$4x_1 + 3x_2 \geq 6$$

$$x_1 + 2x_2 \leq 4$$

$$x_1 \geq 0, x_2 \geq 0$$

Q56: Solve the following problem using Big-M method:

$$\text{Max } z = 3x_1 + 2x_2 + x_3$$

$$\text{S.T. } 2x_1 + x_2 + x_3 = 12$$

$$3x_1 + 4x_3 = 11 \quad x_2 \geq 0$$

$$x_3 \geq 0 \text{ and } x_1 \text{ is unrestricted}$$

Q57: Stream 1 and 2 each possessed a reservoir, join to form a common stream 3, as shown below. The total benefits derived from annual releases $x_1 + x_2$ from each reservoir are $B = 5x_1 + 3x_2$. The maximum capacity of reservoir 1 is (11 MAF) and the maximum capacity of reservoir 2 is (10 MAF). (MAF = mean annual flow) Initial storage in each of reservoir at the beginning of the year is (7 MAF). Annual inflow from stream 1 and 2 are (5MAF and 4MAF) respectively. The maximum capacity of channels 1, 2 and 3 are (6MAF, 5MAF and 9MAF) respectively. Formulate the optimization for maximum benefit

Q58: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

$$\text{Minimize } f(x) = 5x_1^2 + x_2^2 + 4$$

$$\text{Subject to } x_2 - 4 \geq -4x_1$$

$$-x_2 + 3 \leq 2x_1$$

Q59: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

$$\text{Minimize } f(x) = x_1^2 + x_2^2 - 6x_1 - 6x_2 + 10$$

$$\text{Subject to } x_1 - 2x_2 + 4 \geq 0$$

$$2x_1 + x_2 \geq 0$$

Q60: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

$$\text{Minimize : } Z = 4x^2 + 5y^2$$

$$\text{Subjected to : } 2x + 3y = 6$$

Q61: The Riverwood Paneling Company makes two kinds of wood paneling, Colonial and Western. The company has developed the following nonlinear programming model to determine the optimal number of sheets of Colonial paneling and Western paneling to produce to maximize profit, subject to a labor constraint:

$$\text{maximize } Z = \$25x_1 - 0.8x_1^2 + 30x_2 - 1.2x_2^2$$

subject to

$$x_1 + 2x_2 = 40 \text{ hr.}$$

Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

Q62: Use the method of Lagrange multipliers to solve the following

$$\text{Maximum: } f(x, y, z) = yz + xy$$

subject to the constraints:

$$xy = 1 \dots\dots\dots(1)$$

$$y^2 + z^2 = 1 \dots\dots\dots(2)$$

Q63: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

Maximize

$$u = 4x^2 + 3xy + 6y^2$$

subject to

$$x + y = 56$$

Q64: The Rolling Creek Textile Mill produces denim and brushed-cotton cloth. The company has developed the following nonlinear programming model to determine the optimal number of yards of denim (x_1) and brushed cotton (x_2) to produce each day to maximize profit, subject to a labor constraint:

$$\text{maximize } Z = \$10x_1 - 0.02x_1^2 + 12x_2 - 0.03x_2^2$$

subject to: $x_1 + 2x_2 = 40$ hr.

Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

Q65: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

Maximize $z = f(x, y) = xy$

subject to the constraint

$$x + y \leq 100$$

Q66: A firm produces two goods, x and y . Due to a government quota, the firm must produce subject to the constraint $x + y = 42$. The firm's cost function is

$$c(x, y) = 8x^2 - xy + 12y^2$$

Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

Q67: Use the method of Lagrange multipliers to find the maximum value of

$$f(x, y) = 9x + 36xy - 4 - 18x - 8y$$

$$\text{st: } 3x + 4y = 32$$

Q68: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

$$\text{Maximize } z = 8x_1 + 10x_2 - x_1^2 - x_2^2$$

$$\text{subject to } 3x_1 + 2x_2 \leq 6$$

$$x_1, x_2 \geq 0$$

Q69: Determine the optimal solution to this nonlinear programming model using the method of Lagrange multipliers.

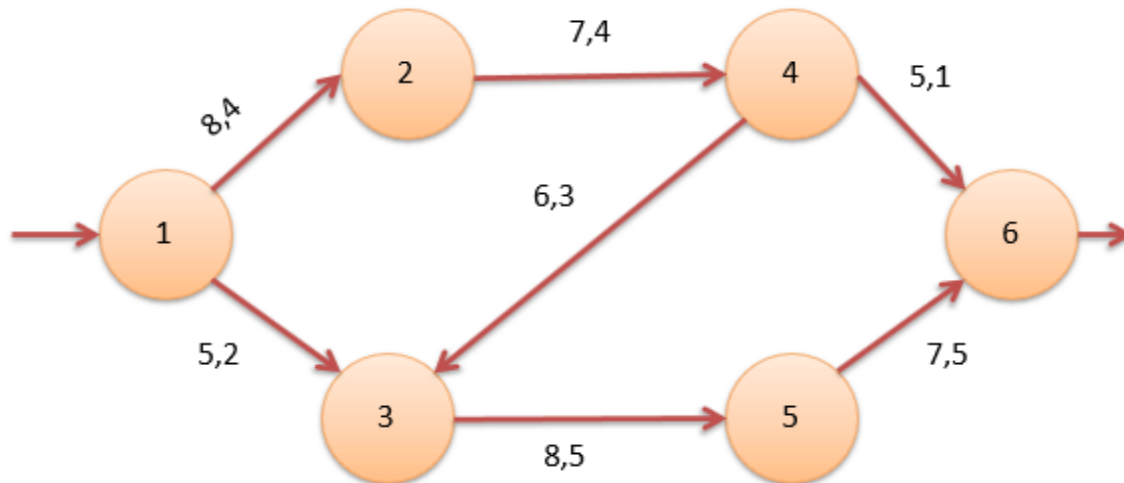
$$\text{Maximize } z = -x_1^2 - x_2^2 - x_3^2 + 4x_1 + 6x_2$$

$$\text{subject to } x_1 + x_2 \leq 2$$

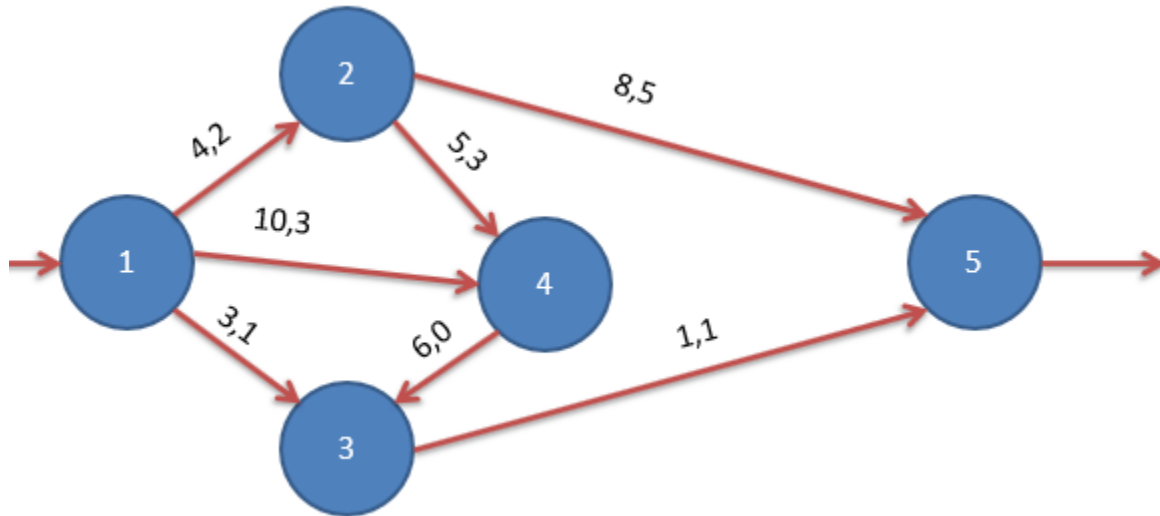
$$2x_1 + 3x_2 \leq 12$$

$$x_1, x_2 \geq 0.$$

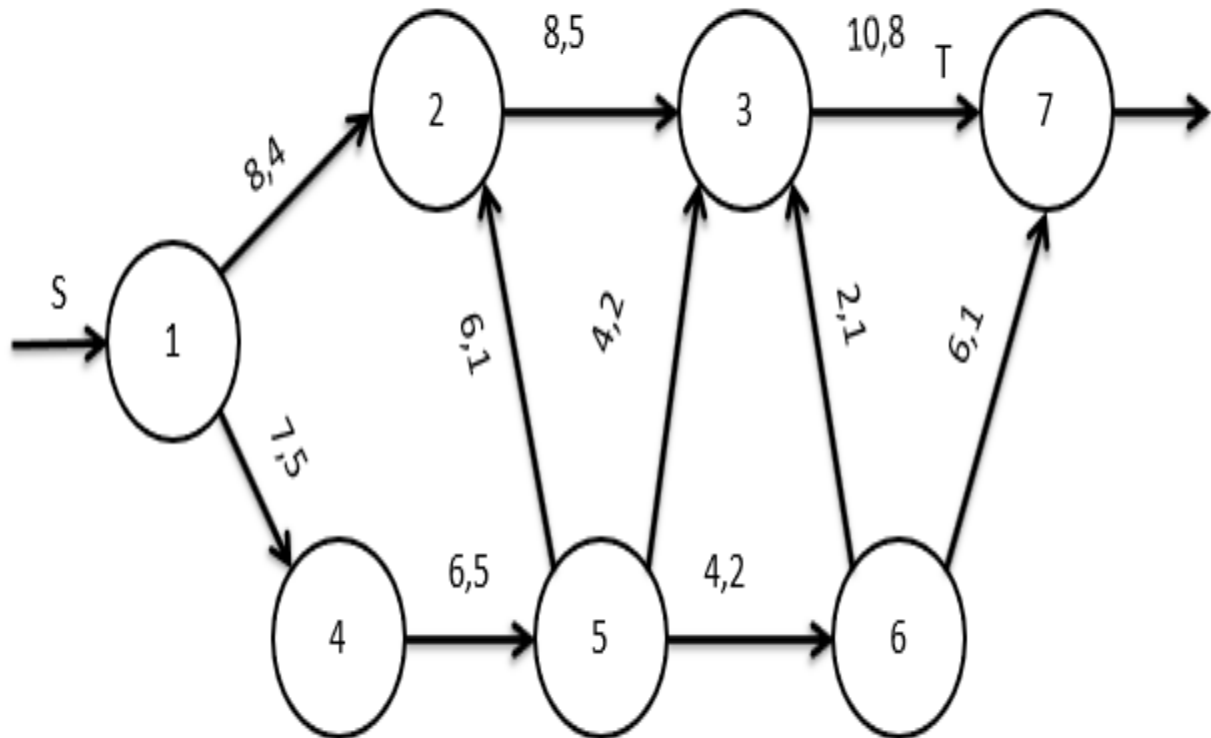
Q70: Find flow augmenting paths



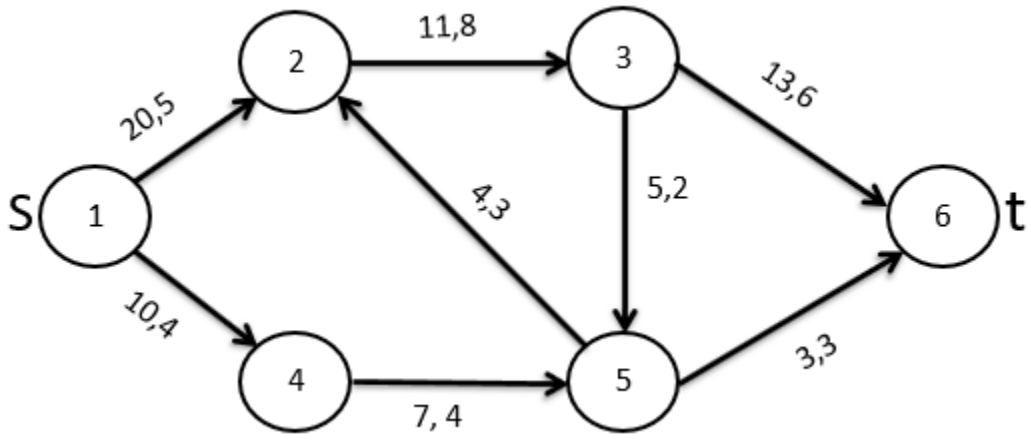
Q71: Find flow augmenting paths



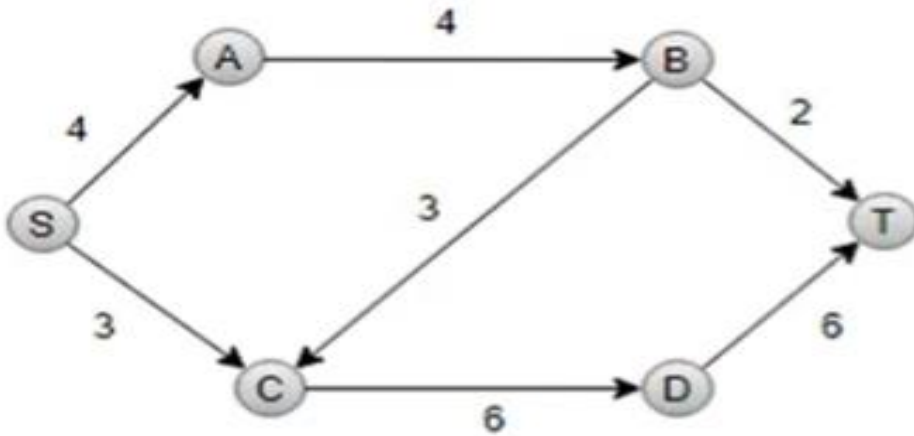
Q72: Find flow augmenting paths



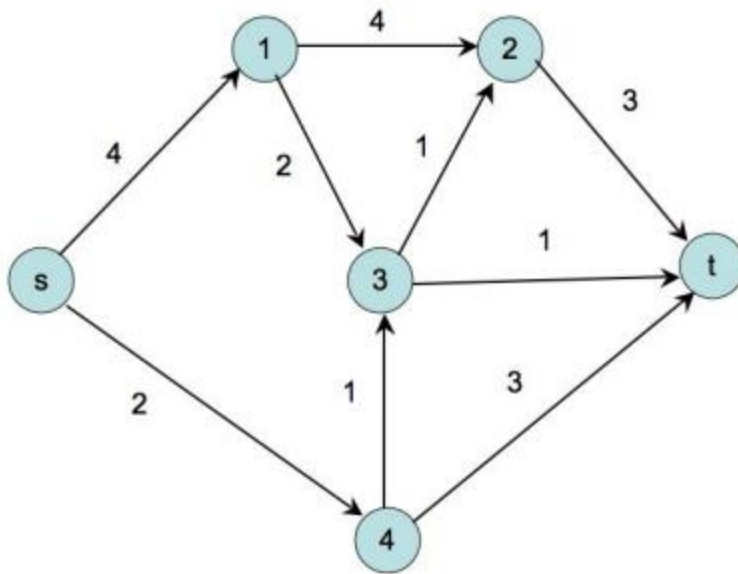
Q73: Find flow augmenting paths



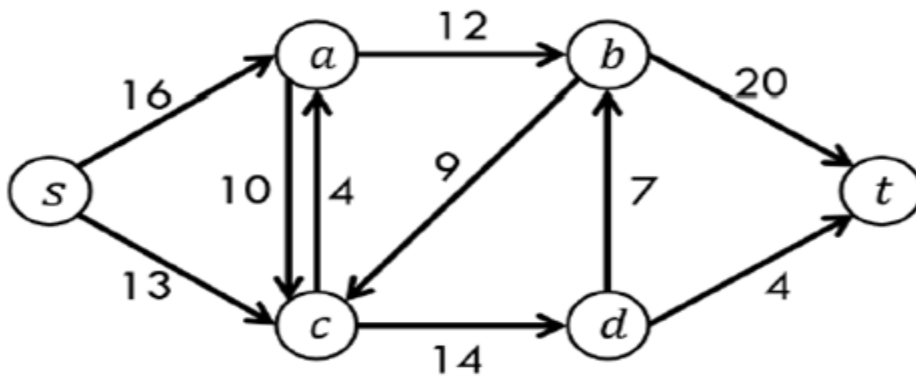
Q74: calculate max flow and residual flow in the following net work using Ford Fulkerson Method



Q75: calculate max flow and residual flow in the following net work using Ford Fulkerson Method

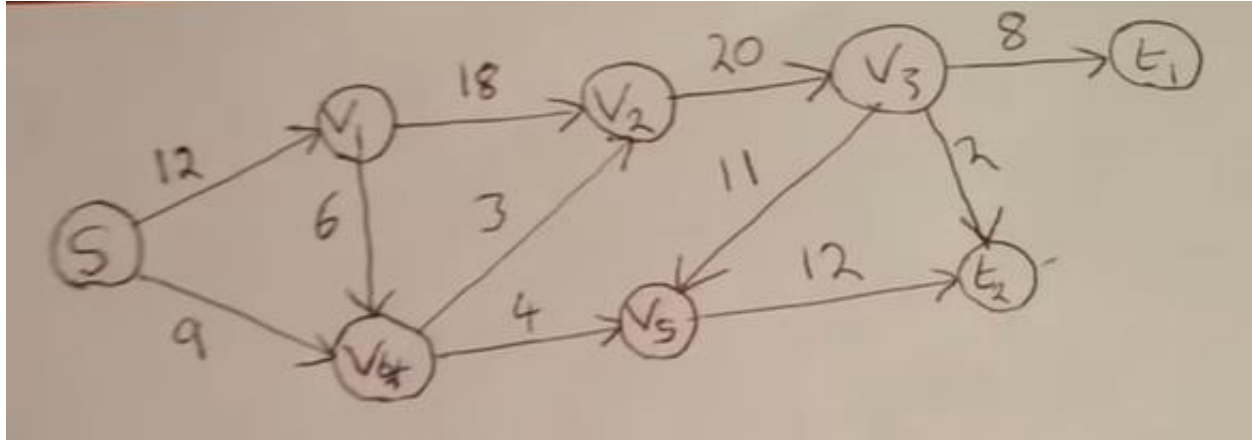


Q76: calculate max flow and residual flow in the following net work using Ford Fulkerson Method

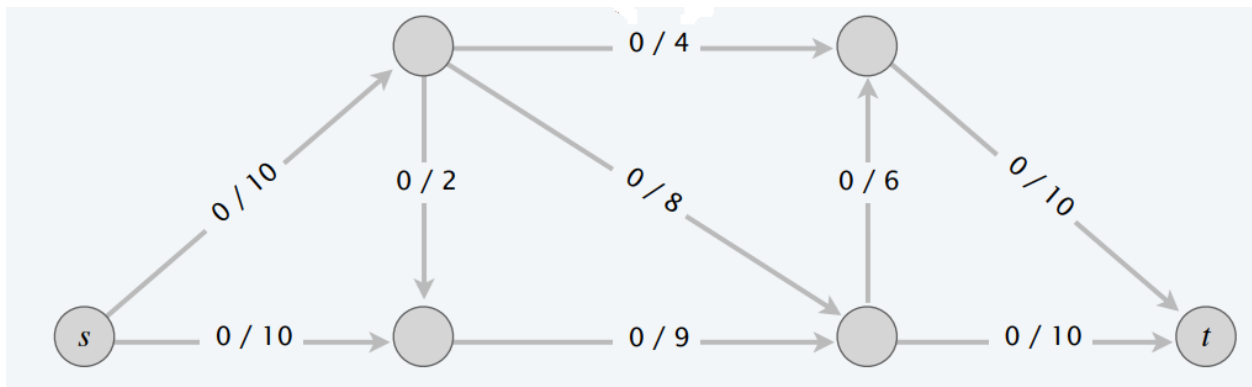


Q77: calculate max flow and residual flow in the following net work using Ford Fulkerson Method

Q78: calculate max flow and residual flow in the following net work using Ford Fulkerson Method



Q79: calculate max flow and residual flow in the following net work using Ford Fulkerson Method



Q80: calculate max flow and residual flow in the following net work using Ford Fulkerson Method

