

An object having three dimensions may be shown on a single plane by means of *projection*. The projection of a point on a plane is a point. The projection of a line on a plane is generally a line. The plane upon which points or lines are projected is the *plane of projection*. The *direction of projection* is the direction in which a point is projected into the plane of projection. The direction of projection is perpendicular to the plane of projection in *Normal projection*.

Normal projection is illustrated in Fig. (1). Points and lines have been projected into the horizontal plane represented by the upper surface of the blocks. In Figure (1-A), point *B* is the projection of point *A*; line *EF* is the projection of line *CD*. In Figure (1-B), line *GI* is the projection of line *GH* into this plane.

The line of intersection of two planes is the trace of one plane upon the other. The trace of one plane of projection upon a second plane of two planes is called a *folding line*. In normal projection the angle between two planes having a common folding line always **90** degrees.

To represent a plan (*map*) and a *section* on one plane (paper), it is required to rotate the section into the plane of the map around the *folding line* as an axis. In the following problems it is best to consider the section as lying below the folding line; the section will then be rotated upward into the horizontal plane. In figure (1-C), point *B* is the projection of point *A* into a horizontal plane; point *C* is the projection of point *A* into a vertical plane represented by side of the block. Figure (1-D) shows the projection after the vertical plane has been rotated into the plane of the paper about the folding line (F.L.) as an axis.

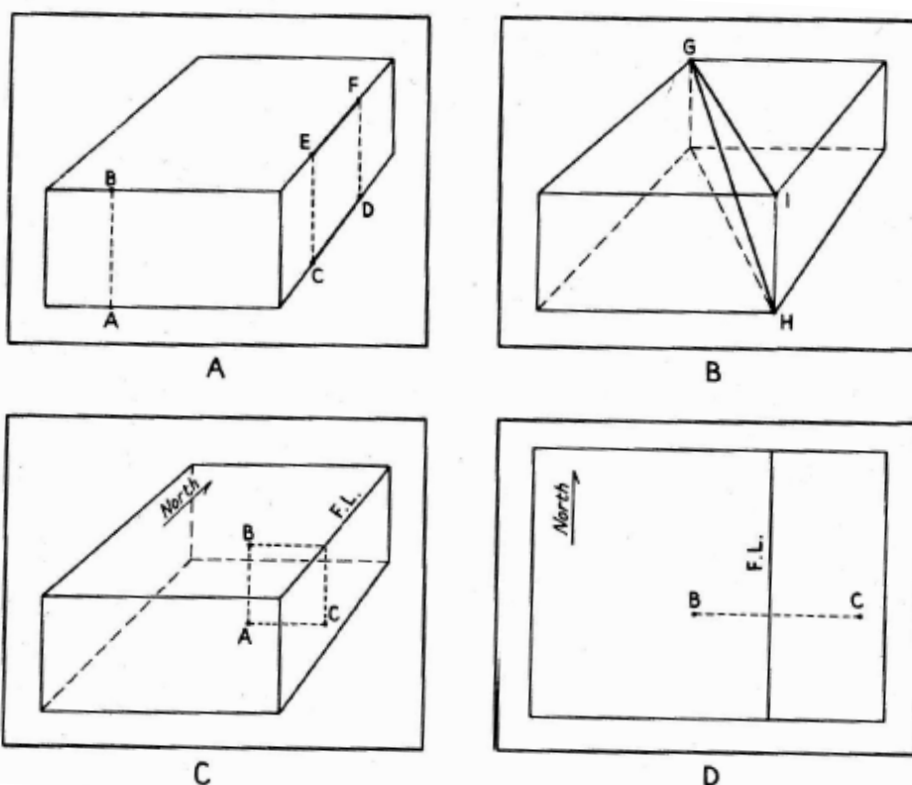


Figure. (1): Normal projection of points and planes on horizontal and vertical planes.

Exercise (1): A vein that strikes $N40^{\circ}E$ and dips $40^{\circ}NW$ intersect a vein that strikes $S30^{\circ}E$ and dips $55^{\circ}NE$. Draw the projection of the intersection of the intersection of the two vein on a horizontal plane, and find the attitude of the intersection

Exercise (2): A vein that strikes $S53^{\circ}W$ and dips $32^{\circ}SE$ intersect a vein that strikes $S48^{\circ}E$ and dips $57^{\circ}NE$. Draw the projection of the intersection of the intersection of the two vein on a horizontal plane, and find the attitude of the intersection

Exercise (3): A joint that strikes $N41^{\circ}E$ and dips $55^{\circ}NW$ intersects a vein that strikes $N64^{\circ}W$ and dips $40^{\circ}SW$. Draw the projection of the intersection on a horizontal plane, and find the orientation of the intersection

Exercise (H.W.): a vertical vein that strikes $N49^{\circ}W$ intersects a joint that strikes $N39^{\circ}E$ and dips $41^{\circ}NW$. Determine the trend and plunge of the intersection.

Exercise (H.W.): The two limbs of a fold strike $N62^{\circ}E$ and $S46^{\circ}E$, dip $34^{\circ}NW$ and $56^{\circ}NE$, respectively. Find attitude of the hinge line of the fold .

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Procedure:

- (1) Draw AB and CD parallel to the respective strike of the vein.
 - (2) Construct a folding line FF' perpendicular to AB.
 - (3) Using these folding lines as the horizontal, to make cross section. Draw HH' parallel to F.L. and at an arbitrary distance (h) from FF'. HH' and II' represent a level which will be called the lower reference plane (L.R.P.) F'' is the intersection FF' with AB.
 - (4) Draw angle FF''J and G'G''K equal to the respective dips of the two veins. F''J intersects HH' at J'.
 - (5) Draw J'M and K'L parallel to AB and CD. These two lines represent the horizontal projections (H.P.) of contours on the two veins at (h) distance below the plan. Point N is the (H.P.) of intersection of the veins on the L.R.P. and point O is the intersection of the two veins on the plan.
- Therefore, line ON is the (H.P.) of the intersection of the two veins.