



Ministry of Higher Education & Scientific Research

Salahaddin University – Erbil - College of Administration & Economics

Department: Statistics & information

Stage: Three - Second Semester (2022-2023)

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Question Bank: (Reliability)

$Q_1/$ If (3000) items are put under the test, and if $Z(t) = 2 * 10^{-4}$, find:

- 1) Reliability for 300 hours.
- 2) $N_s(t)$ for 300 hours.
- 3) $N_f(t)$ for 300 hours.

$Q_2/$ Prove that: if $T \sim \exp(\lambda) \rightarrow Z(t)$ is constant

$Q_3/$ Five components having reliabilities of (0.73, 0.85, 0.56, 0.91, and 0.62) are connected in parallel. What is the system reliability and system unreliability?

$Q_4/$ Define:

- a) Probability of Failure (Failure Density function)
- b) Qualitative Definition of reliability
- c) Hazard function
- d) Mean time between failure (MTBF)
- e) Reliability of System

$Q_5/$ The failure rate of a machine electronic is (0.002) failures per hour, and its times to failure are defined by the following function:

$$f(t) = 0.002 e^{-(0.002)t}, \text{ for } t \geq 0$$

Calculate: 1) $F(t)$ for 200 hours.

2) $R(t)$ for 200 hours.

3) MTTF.

$Q_6/$ What are The type of connections in System?

$Q_7/$ Assume two units are connected in series and failure rates are λ_1 and λ_2 respectively find:

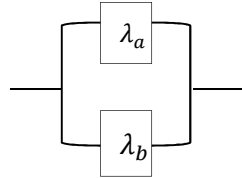
- 1) Reliability of the system.
- 2) Failure rate.
- 3) $f_{ss}(t)$.
- 4) MTBF.

$Q_8/$ Prove that: $E(t) = \int_0^{\infty} R(t) dt$, (by one side).

$Q_9/$ If $\lambda=0.01$ parameter of exponential distribution and $R(t)=0.90$,
Find: t [the number of hours as a system operated]

$Q_{10}/$ /What it means to say $R(t)=0.90$?

$Q_{11}/$ calculate the reliability and MTBF of the system show in figure



$Q_{12}/$ prove that: $E(t) = \int_0^{\infty} R(t) dt$

$Q_{13}/$ If $Z(t) = 3 * 10^{-5}$ find:

- 1) $R(t)$ for 100 hours.
- 2) What is the reliability equal MTTF?

$Q_{14}/$ Assume that a system is composed of five independent and identical subsystems in series.
The constant failure rate of each subsystem is (0.0025) failures per hour.
Calculate the reliability of the system for a 50-hour mission and the system mean time to failure.

$Q_{15}/$ Show that: $R(t) = e^{-\int_0^t Z(s) ds}$

$Q_{16}/$ If the Reliability for (100h) equal to (0.99) find the failure rate.

$Q_{17}/$ Consider an electronic circuit 4-unit connected in series and each item of the above has exponential failure rate.

$$\begin{array}{ll} \lambda_1 = 4 * 10^{-5} & \lambda_3 = 2 * 10^{-5} \\ \lambda_2 = 2 * 10^{-5} & \lambda_4 = 2 * 10^{-5} \end{array}$$

- Find: 1) $R_{SS}(t)$
2) $Z_{SS}(t)$
3) $R_{SS}(t=10)$, reliability for (10) hours
4) $MTBF_{SS}$

$Q_{18}/$ Assume two units connected in parallel and have constant failure rates λ_1 and λ_2 respectively find:
1. $R_{ps}(t)$ 2. $MTBF_{ps}$